



File Ref.No.71589/Ac A V (A)/2024/UOK

**UNIVERSITY OF KERALA**

**(Abstract)**

Four Year UG Programme in Mathematics - Revised Syllabus for Semester I with effect from 2025 admissions - Approved - Orders issued.

**Ac A V (A)**

8666/2025/UOK

Dated: 06.10.2025

- Read:-* 1. UO No. 32912/4/2024/ UOK dtd 02.07.2024.  
2. UO No. 218/2025/UOK dtd 08.01.2025.  
3. Minutes of the Additional Meeting of the BoS in Mathematics (UG) held on 28.07.2025.  
4. Endorsement of the Dean, Faculty of Science vide E-mail dated 14.09.2025.  
5. UO No. 8042/2025/UOK dtd 18.09.2025

**ORDER**

The Scheme and Syllabi for the courses in Mathematics under FYUGP, implemented w.e.f 2024 admissions was approved by the Academic Council held on 10.05.2024 and U.O vide paper read as (1) above was issued accordingly. The revised syllabus for Semesters II and III of FYUGP in Mathematics were implemented w.e.f 2024 admissions, vide U.O read as (2) and (5) above respectively.

The Board of Studies in Mathematics (UG) vide paper read as (3) above, recommended the revised Syllabus for Semester I for FYUGP in Mathematics w.e.f 2025 admissions. The Dean, Faculty of Science, vide paper read as (4) above, endorsed the recommendation of the Board of Studies in Mathematics (UG) and the revised Syllabus.

Sanction has been accorded by the Vice-Chancellor, for effecting the modified Syllabus for Semester I of FYUGP in Mathematics w.e.f. 2025 admissions, as recommended by the Board of Studies in Mathematics (UG) and as endorsed by the Dean, Faculty of Science. (Syllabus appended).

Orders are issued accordingly.

MEERA RAJ S

DEPUTY REGISTRAR  
For REGISTRAR

To

1. Principals of all Affiliated Colleges.
2. Dean, Faculty of Science
3. Chairman Bos in Mathematics (UG)
4. Director, Computer Centre
5. PA to Registrar / CE
6. DR/AR (Exams)
6. All tabulation sections
7. PRO / Enquiry.

Forwarded / By Order  
Sd/-  
Section Officer





## **University of Kerala**

### **Four Year Under Graduate Programme (UoK FYUGP) (2025 Admission Onwards)**

#### **Syllabus (First Semester)**

#### **Major Discipline Mathematics**

**May 2025**

*Last edited on August 6, 2025*





## University of Kerala

|                |                                                                                                                                                                                       |                     |                      |           |                         |
|----------------|---------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|---------------------|----------------------|-----------|-------------------------|
| Discipline     | Mathematics                                                                                                                                                                           |                     |                      |           |                         |
| Course Code    | UK1DSCMAT100                                                                                                                                                                          |                     |                      |           |                         |
| Course Title   | Foundations of Mathematics                                                                                                                                                            |                     |                      |           |                         |
| Type of Course | DSC                                                                                                                                                                                   |                     |                      |           |                         |
| Semester       | I                                                                                                                                                                                     |                     |                      |           |                         |
| Academic Level | 100-199                                                                                                                                                                               |                     |                      |           |                         |
| Course Details | Credit                                                                                                                                                                                | Lecture<br>per week | Tutorial<br>per week | Practical | Total<br>Hours per week |
|                | 4                                                                                                                                                                                     | 3                   | -                    | 2         | 5                       |
| Pre-requisites | 1. Basic understanding on the concepts and operations on matrices<br>2. Understanding on the concept of a system of linear equations.<br>3. Basic knowledge of the set number system. |                     |                      |           |                         |
| Course Summary | This course includes set theory, determinants and matrices, number theory and solution of system of equations using matrices and number theory                                        |                     |                      |           |                         |

## Detailed Syllabus

| Module   | Unit | Contents                                                                                                                                                                                                                                                                                                                                                                                                                 | Hrs      |
|----------|------|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|----------|
| <b>I</b> |      | <b>Fundamental Terminology in Proof Techniques</b>                                                                                                                                                                                                                                                                                                                                                                       | <b>9</b> |
|          | 1    | Statements, statements with quantifiers, negation of statements with quantifiers, statements involving multiple quantifiers, compound statements, negation of compound statements, implications, converse, if and only if, contrapositive of implications, Proofs in Mathematics (Indirect proofs: proof by contradiction, proof by Induction, counter examples can be omitted) (Chapter 1: Sections 1.1 to 1.5 Text[1]) |          |



| Module     | Unit | Contents                                                                                                                                                                                                                                                                                                                                                                                                                                                 | Hrs      |
|------------|------|----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|----------|
| <b>II</b>  |      | <b>Proof techniques and elementary number theory</b>                                                                                                                                                                                                                                                                                                                                                                                                     | <b>9</b> |
|            | 2    | Mathematical induction, The division algorithm, Pigeonhole principle, divisibility relation, inclusion-exclusion principle, prime and composite numbers, infinitude of primes– Sections 1.3, 2.1 (exclude the topics marked as optional), 2.5 (Topics Primes and Pi and exclude the rest in this section) from Text [3])                                                                                                                                 |          |
| <b>III</b> |      | <b>Primes and composites</b>                                                                                                                                                                                                                                                                                                                                                                                                                             | <b>9</b> |
|            | 3    | GCD, linear combination of integers, pairwise relatively prime integers, the Euclidean algorithm for finding GCD, The fundamental theorem of arithmetic, canonical decomposition of an integer into prime factors Section 3.1 (excluding Lemma 3.1, Theorem 3.2, Theorem 3.3 ), section 3.2 (Excluding the topics marked as optional, excluding Lemma 3.2, Theorem 3.12), Section 3.3 (Excluding Theorem 3.14) from Text [3])                            |          |
| <b>IV</b>  |      | <b>System of linear equations and solutions</b>                                                                                                                                                                                                                                                                                                                                                                                                          | <b>9</b> |
|            | 4    | Systems of Linear Equations, Gaussian Elimination, Elementary Matrices and a Method for Finding $A^{-1}$ , Number of Solutions of a Linear System, Applications of Linear Systems –Network Analysis (Chapter 1: Section 1.1, 1.2, 1.5, 1.9 (Network analysis only) of Text[2])                                                                                                                                                                           |          |
| <b>V</b>   |      | <b>Suggestions for the teacher designed module</b>                                                                                                                                                                                                                                                                                                                                                                                                       | <b>9</b> |
|            | 5    | Relation: Product sets, Relations, Types of Relations, Equivalence Relations, Partial Ordering Relations Functions: Functions, One-to-One, Onto and Invertible Functions., Different types of matrices – diagonal, triangular, symmetric, Solving system of equations using Cramer's rule, Solving Linear Systems by Matrix Inversion, Applications of linear systems - balancing chemical equations, polynomial interpolation, LCM and related problems |          |

## Practical sessions – 30 hours

All the topics (including those in the suggestions for the teacher designed module) can be used for practical sessions.

### Problems for the practical examination

1. Constructing sets, operations on them like union, intersection, complements
2. Demonstrating basic arithmetic operators  $+$ ,  $-$ ,  $*$ ,  $^$ ,  $,$ , modulo operator  $\%$
3. Forming matrices of different orders
4. Forming identity, zero, scalar matrices
5. Operations on matrices (multiplication, inverses, transposes, cofactor, adjoint)



6. Forming systems of linear equations using symbolic variables
7. Forming matrices for systems, forming augmented matrices
8. Row reduction operations on matrices
9. Finding remainder and quotient
10. Problems using inclusion-exclusion principle
11. Determining if a number is a prime, finding list of primes
12. Using Euler  $\phi$  function
13. Canonical decomposition

A record should be maintained with atleast 7 problems from the above. Each problem in the record must have a description of the problem, algorithm (step by step procedure), commands used, input given and output obtained accordingly. For the ESE, from the list of above 10 problems, the student should be able to answer two selected (from the 7 available in the record) by the examiner.

## Textbooks

1. Ajit Kumar, S Kumaresan, B K Sarma, A foundation course in Mathematics, Narosa Publications, New Delhi 2018
2. H Anton, C Rorres. Elementary linear algebra, 11th Edition, John Wiley & Sons.
3. Thomas Koshy, Elementary Number Theory with Applications, 2nd Edition, Academic Press, 2007.

## References

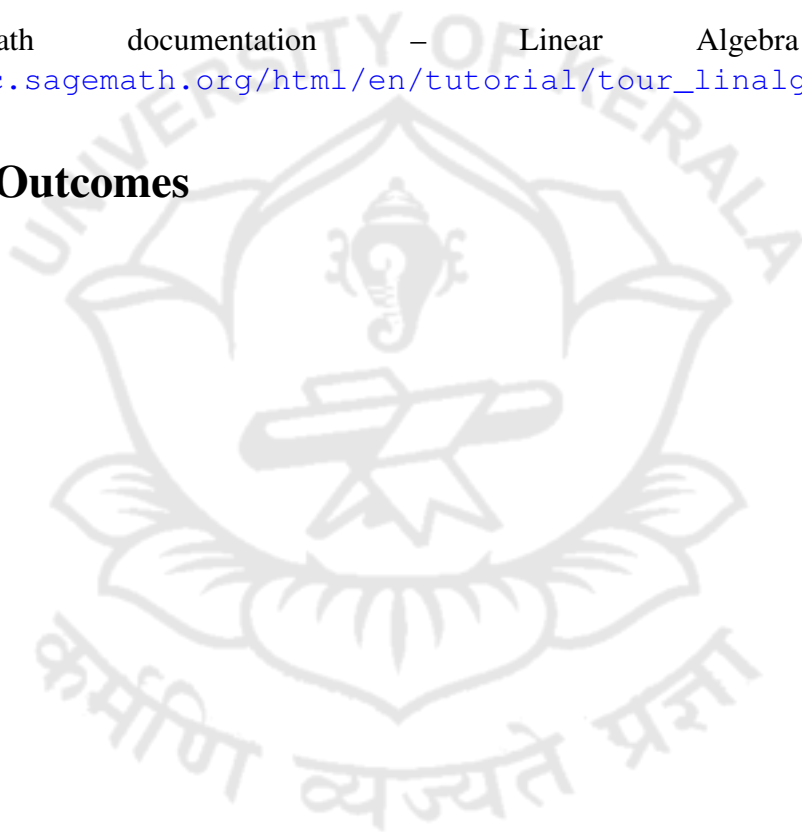
1. David M. Burton, Elementary Number Theory, Seventh Edition, McGraw-Hill, 2011.
2. Gilbert Strang, Introduction to Linear Algebra , 5th Edition, 2005.
3. G A Jones, J M Jones, Elementary Number Theory, Springer, 1998.
4. Lee W. Johnson, R Dean Riess, Jimmy T. Arnold, Introduction to Linear Algebra, Fifth Edition, Addison Wesley, 2019.
5. Seymour Lipschutz. Set Theory and Related Topics, 3rd Edition, Schaum's outline, 1998.



## Resources for practical sessions

- P1. Sagemath documentation – Introductory Sage Tutorial <https://doc.sagemath.org/html/en/prep/Intro-Tutorial.html>
- P2. Saskia Roos, Michael Jung, *An Introductory Course on Sage, Lecture Notes* [https://www.math.uni-potsdam.de/fileadmin/user\\_upload/An\\_Introductory\\_Course\\_on\\_Sage.pdf](https://www.math.uni-potsdam.de/fileadmin/user_upload/An_Introductory_Course_on_Sage.pdf)
- P3. Sagemath documentation – Symbolic variables <https://doc.sagemath.org/html/en/reference/calculus/sage/calculus/var.html>
- P4. P. Zimmermann *et al*, Computational Mathematics with SageMath, <https://www.sagemath.org/sagebook/english.html>
- P5. Gregory V. Bard, Sage for Undergraduates <http://www.people.vcu.edu/~clarson/bard-sage-for-undergraduates-2014.pdf>
- P6. Robert A. Beezer, *A First Course in Linear Algebra* <http://linear.ups.edu/html/sage.html>
- P7. Sagemath documentation – Linear Algebra [https://doc.sagemath.org/html/en/tutorial/tour\\_linalg.html](https://doc.sagemath.org/html/en/tutorial/tour_linalg.html)

## Course Outcomes



| CO No. | Upon completion of the course the graduate will be able to                         | PO/PSO                      | Cognitive Level | Knowledge Category | Lecture(L)<br>Tutorial (T) | Practical (P) |
|--------|------------------------------------------------------------------------------------|-----------------------------|-----------------|--------------------|----------------------------|---------------|
| CO 1   | Describe the basic concept of set theory, determinants, Matrices and numbers       | PSO1, PO1, 2, 4, 8          | U               | F,C                | L                          |               |
| CO 2   | Solve system of linear equations using determinants, Matrices                      | PSO2, PO1, 2, 3, 4, 7, 8    | Ap              | P                  | L                          |               |
| CO 3   | Illustration of Mathematical Induction, Division Algorithm and Euclidean Algorithm | PSO1, PO1, 2, 3, 4, 6, 7, 8 | U               | F,C                | L                          |               |
| CO 4   | Categorise functions based on the properties                                       | PSO4, PO1                   | An              | F,C                | L                          |               |

(R-Remember, U-Understand, Ap-Apply, An-Analyse, E-Evaluate, C-Create)  
(F-Factual, C-Conceptual, P-Procedural, M-Metacognitive)

## Mapping of CO with PSOs and POs

|     | PSO1 | PSO2 | PSO3 | PSO4 | PSO5 | PSO6 | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 |
|-----|------|------|------|------|------|------|-----|-----|-----|-----|-----|-----|-----|-----|
| CO1 | 3    | 2    | 2    | 1    | 1    | 2    | 2   | 2   | 1   | 3   | 1   | 1   | 2   | 2   |
| CO2 | 2    | 3    | 2    | 2    | 1    | 1    | 2   | 3   | 1   | 2   |     |     | 1   | 2   |
| CO3 | 3    | 2    | 2    | 1    | 1    | 1    | 3   | 2   | 1   | 3   |     |     | 1   | 1   |
| CO4 | 2    | 2    | 1    | 3    | 1    | 1    | 3   | 1   | 1   | 1   |     | 1   | 1   | 1   |

( - -Nil, 1-Slightly/Low, 2-Moderate/Medium, 3-Substantial/High)

## Assessment Rubrics

- Quiz/Assignment/Discussion/Seminar
- Midterm Exam



- Programming Assignments
- Final Exam

## Mapping of COs to Assessment Rubrics

|     | Internal Examination | Assignment | Project Evaluation | End Semester Exam |
|-----|----------------------|------------|--------------------|-------------------|
| CO1 | ✓                    | ✓          |                    | ✓                 |
| CO2 | ✓                    | ✓          |                    | ✓                 |
| CO3 | ✓                    | ✓          |                    | ✓                 |
| CO4 | ✓                    | ✓          |                    | ✓                 |







## University of Kerala

|                |                                                                                                                   |                     |                      |                       |                         |
|----------------|-------------------------------------------------------------------------------------------------------------------|---------------------|----------------------|-----------------------|-------------------------|
| Discipline     | Mathematics                                                                                                       |                     |                      |                       |                         |
| Course Code    | UK1DSCMAT101                                                                                                      |                     |                      |                       |                         |
| Course Title   | Differential Calculus and Linear Algebra                                                                          |                     |                      |                       |                         |
| Type of Course | DSC                                                                                                               |                     |                      |                       |                         |
| Semester       | I                                                                                                                 |                     |                      |                       |                         |
| Academic Level | 100-199                                                                                                           |                     |                      |                       |                         |
| Course Details | Credit                                                                                                            | Lecture<br>per week | Tutorial<br>per week | Practical<br>per week | Total<br>Hours per week |
|                | 4                                                                                                                 | 3                   | -                    | 2                     | 5                       |
| Pre-requisites | 1. Derivatives of functions 2. Matrices                                                                           |                     |                      |                       |                         |
| Course Summary | This course provides a comprehensive idea of differentiation, its applications and solutions of linear equations. |                     |                      |                       |                         |

## Detailed Syllabus

| Module    | Unit | Contents                                                                                                                                                                                                                                                                                                                                   | Hrs      |
|-----------|------|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|----------|
| <b>I</b>  |      | <b>Differentiation</b>                                                                                                                                                                                                                                                                                                                     | <b>9</b> |
|           | 1    | Derivative of a function, Implicit differentiation, Derivatives of logarithmic, exponential and inverse trigonometric functions Analysis of functions - Increasing, Decreasing, concavity,<br>Chapter 2: Sections 2.2, 2.7, Chapter 6 : Section 6.2 (differentiation only), 6.3 (differentiation only), Chapter 3: section 3.1 of Text [2] |          |
| <b>II</b> |      | <b>Applications of Differentiation</b>                                                                                                                                                                                                                                                                                                     | <b>9</b> |
|           | 2    | Analysis of functions - Relative extrema, Absolute maxima and minima, Applied maxima and minima problems. Rolle's theorem (without proof) and upto Mean value theorem (without proof).<br>chapter 3: section 3.2 (Exclude analysis of polynomials), 3.4, 3.5, 3.6, 3.8 of Text [2].                                                        |          |



| Module     | Unit | Contents                                                                                                                                                                                                                                                                                                               | Hrs      |
|------------|------|------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|----------|
| <b>III</b> |      | <b>System of Linear equations</b>                                                                                                                                                                                                                                                                                      | <b>9</b> |
|            | 3    | Linear systems of equations, Coefficient matrix, Augmented matrix, Elementary row operations, Gauss elimination, Rank of a matrix, Existence and uniqueness of solutions<br>Chapter 7: Section 7.3, 7.4 (rank of a matrix only), 7.5 (omit proof) Text [1].                                                            |          |
| <b>IV</b>  |      | <b>Eigen values and Diagonalization</b>                                                                                                                                                                                                                                                                                | <b>9</b> |
|            | 4    | Eigen values and eigen vectors, Diagonalization of Matrices.<br>Chapter 8: Section 8.1, 8.4(omit quadratic forms) of Text [1]                                                                                                                                                                                          |          |
| <b>V</b>   |      | <b>Suggestions for teacher designed module</b>                                                                                                                                                                                                                                                                         | <b>9</b> |
|            | 5    | Tangent lines and Rates of change, Relative rates Sections 2.1, 2.8, graphing of polynomials Section 3.2, 3.3 of Text [2]. Rectilinear motion (exclude analysing the position versus time curve), Solving systems of equations using Cramer's rule, Some applications of eigen value problems Section 8.2 of Text [1]. |          |

## Practical sessions – 30 hours

All the topics (including those in the suggestions for the teacher designed module) can be used for practical sessions.

### Problems for the practical examination

1. Demonstrate the basic arithmetic operations (+, -, \*, ^, /)
2. Demonstrate how to use the standard trigonometric, log, exponential functions, and how to evaluate them at given real numbers
3. Define polynomials of various order, evaluate them
4. Define functions, and evaluate one-sided limits
5. Define functions, and evaluate two-sided limits
6. Demonstrate the plot command with various options (line style, color, thickness etc)
7. Define functions, find their derivatives of different orders
8. Mean value theorem - verification and demonstration via sketching the curve and tangent
9. Finding maxima, minima using first and second derivative tests.
10. Finding points of inflection and sketching them
11. Forming matrices of different orders
12. Forming identity, zero, scalar matrices



13. Operations on matrices (multiplication, inverses, transposes, cofactor, adjoint)
14. Forming systems of linear equations using symbolic variables
15. Forming matrices for systems, forming augmented matrices
16. Row reduction operations on matrices
17. Finding determinants of square matrices

A record should be maintained with atleast 7 problems from the above. Each problem in the record must have a description of the problem, algorithm (step by step procedure), commands used, input given and output obtained accordingly. For the ESE, from the list of above 10 problems, the student should be able to answer two selected (from the 7 available in the record) by the examiner.

## Textbooks

1. Erwin Kreyszig, *Advanced Engineering Mathematics*, 10<sup>th</sup> Edition Wiley, 2011
2. Howard Anton, Irel Bivens, Stephens Davis, *Calculus* 10<sup>th</sup> Edition Wiley, 2012

## References

1. G. B. Thomas, R. L. Finey, *Calculus*, 9<sup>th</sup> Edition, Addison-Weseley Publishing Company, 2004
2. Joel Hass, Maurice D, Weir, *Thomas Calculus Early Transcendentals* 12<sup>th</sup> Edition, Addison-Weseley Publishing Company, 2006
3. J. Stewart, *Calculus with Early Transcendentals Functions* 7<sup>th</sup> Edition, Cengage India, 2008
4. David C Lay, *Linear Algebra and its Applications*, Pearson, 2003
5. T.S. Blyth, E.F. Robertson, *Linear Algebra*, Second Edition, Springer, 2013

## Resources for practical sessions

- P1. Sagemath documentation – Introductory Sage Tutorial <https://doc.sagemath.org/html/en/prep/Intro-Tutorial.html>
- P2. Saskia Roos, Michael Jung, *An Introductory Course on Sage, Lecture Notes* [https://www.math.uni-potsdam.de/fileadmin/user\\_upload/An\\_Introductory\\_Course\\_on\\_Sage.pdf](https://www.math.uni-potsdam.de/fileadmin/user_upload/An_Introductory_Course_on_Sage.pdf)
- P3. Sagemath documentation – Symbolic variables <https://doc.sagemath.org/html/en/reference/calculus/sage/calculus/var.html>
- P4. Tuan A. Le, Hieu D. Nguyen, SageMath Advice for calculus <https://users.rowan.edu/~nguyen/sage/SageMathAdviceforCalculus.pdf>



- P5. P. Zimmermann *et al*, Computational Mathematics with SageMath, <https://www.sagemath.org/sagebook/english.html>
- P6. Gregory V. Bard, Sage for Undergraduates <http://www.people.vcu.edu/~clarson/bard-sage-for-undergraduates-2014.pdf>
- P7. Robert A. Beezer, *A First Course in Linear Algebra* <http://linear.ups.edu/html/sage.html>
- P8. Sagemath documentation – Linear Algebra [https://doc.sagemath.org/html/en/tutorial/tour\\_linalg.html](https://doc.sagemath.org/html/en/tutorial/tour_linalg.html)

## Course Outcomes

| CO No. | Upon completion of the course the graduate will be able to                                                         | PO/PSO  | Cognitive Level | Knowledge Category | Lecture(L)<br>Tutorial (T) | Practical (P) |
|--------|--------------------------------------------------------------------------------------------------------------------|---------|-----------------|--------------------|----------------------------|---------------|
| CO 1   | Understand the fundamental concepts of Differentiation                                                             | PSO1, 2 | U               | F,C                | L                          |               |
| CO 2   | Explore Differentiation techniques to functions involving vectors and matrices                                     | PSO 2,4 | An, C           | C, M               | L                          |               |
| CO 3   | Develop problem-solving skills through the application of differentiation concepts and systems of linear equations | PSO 2,3 | An, C           | P, M               | L                          |               |

(R-Remember, U-Understand, Ap-Apply, An-Analyse, E-Evaluate, C-Create)  
(F-Factual, C-Conceptual, P-Procedural, M-Metacognitive)

## Mapping of CO with PSOs and POs

|     | PSO1 | PSO2 | PSO3 | PSO4 | PSO5 | PSO6 | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 |
|-----|------|------|------|------|------|------|-----|-----|-----|-----|-----|-----|-----|-----|
| CO1 | 3    | 1    | 2    | 2    | 3    | 3    | 3   | -   | 1   | -   | -   | 2   | 1   | 1   |
| CO2 | 1    | 3    | 1    | 2    | 1    | 1    | 1   | 1   | 3   | -   | -   | 2   | 1   | 1   |
| CO3 | 1    | 3    | 2    | 3    | 2    | 3    | 1   | 3   | 3   | -   | -   | 3   | 1   | 1   |

( - -Nil, 1-Slightly/Low, 2-Moderate/Medium, 3-Substantial/High)



## Assessment Rubrics

- Quiz/Assignment/Discussion/Seminar
- Midterm Exam
- Programming Assignments
- End Semester Exam

## Mapping of COs to Assessment Rubrics

|     | Internal Examination | Assignment | Project Evaluation | End Semester Exam |
|-----|----------------------|------------|--------------------|-------------------|
| CO1 | ✓                    | —          | —                  | ✓                 |
| CO2 | ✓                    | ✓          |                    | ✓                 |
| CO3 | ✓                    | ✓          |                    | ✓                 |





## University of Kerala

|                |                                                                                                 |                     |                      |                       |                         |
|----------------|-------------------------------------------------------------------------------------------------|---------------------|----------------------|-----------------------|-------------------------|
| Discipline     | Mathematics                                                                                     |                     |                      |                       |                         |
| Course Code    | UK1DSCMAT102                                                                                    |                     |                      |                       |                         |
| Course Title   | Differentiation, Sequences and Series                                                           |                     |                      |                       |                         |
| Type of Course | DSC                                                                                             |                     |                      |                       |                         |
| Semester       | I                                                                                               |                     |                      |                       |                         |
| Academic Level | 100-199                                                                                         |                     |                      |                       |                         |
| Course Details | Credit                                                                                          | Lecture<br>per week | Tutorial<br>per week | Practical<br>per week | Total<br>Hours per week |
|                | 4                                                                                               | 3                   | -                    | 2                     | 5                       |
| Pre-requisites | 1. Differentiation 2. Integration                                                               |                     |                      |                       |                         |
| Course Summary | This course provides a detailed study of differentiation and convergence of sequence and series |                     |                      |                       |                         |

## Detailed Syllabus

| Module     | Unit | Contents                                                                                                          | Hrs      |
|------------|------|-------------------------------------------------------------------------------------------------------------------|----------|
| <b>I</b>   |      | <b>Differentiation</b>                                                                                            | <b>9</b> |
|            | 1    | Tangent lines and rate of change, The derivative function [Chapter 2 Sections 2.1, 2.2 of Text 1]                 |          |
|            | 2    | The Chain Rule, Implicit Differentiation [(Chapter 2 Sections 2.6, 2.7 of Text 1]                                 |          |
| <b>II</b>  |      | <b>Differentiation of exponential and logarithmic functions</b>                                                   | <b>9</b> |
|            | 3    | Exponential and logarithmic functions (review only) [Chapter 6 Section 6.1 of Text 1]                             |          |
|            | 4    | Derivatives involving Exponential and logarithmic functions [Chapter 6 Section 6.2 of Text 1]                     |          |
|            | 5    | L'Hôpital's rule [Chapter 6 Section 6.5 of Text 1]                                                                |          |
| <b>III</b> |      | <b>Sequences and Series</b>                                                                                       | <b>9</b> |
|            | 6    | Sequences, their limits, convergence and related theorems (without proof) [Chapter 9 Sections 9.1, 9.2 of Text 1] |          |



| Module    | Unit                                              | Contents                                                                                                                                                                                                              | Hrs      |
|-----------|---------------------------------------------------|-----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|----------|
|           | 7                                                 | Infinite series, their convergence and sums, geometric Series and harmonic series [Chapter 9 Section 9.3 of Text 1]                                                                                                   |          |
| <b>IV</b> | <b>Tests for Convergence and Divergence</b>       |                                                                                                                                                                                                                       | <b>9</b> |
|           | 8                                                 | Algebraic properties of infinite series, Integral test, p-series(without proof) [Chapter 9 Section 9.4 of Text 1]                                                                                                     |          |
|           | 9                                                 | Comparison test, limit comparison test, Ratio test, Root test [Chapter 9 Section 9.5 of Text 1]                                                                                                                       |          |
|           | 10                                                | Alternating Series - Absolute and conditional Convergence, Ratio test for absolute convergence, Power series, Maclaurin and Taylor Polynomials [Chapter 9 Sections 9.6, 9.7 of Text 1]                                |          |
| <b>V</b>  | <b>Teacher designed module - suggested topics</b> |                                                                                                                                                                                                                       | <b>9</b> |
|           | 11                                                | Introduction to Techniques of Differentiation, The Product and Quotient Rules, Derivatives of Trigonometric Functions (review only)                                                                                   |          |
|           | 12                                                | Tangent lines and limits (review only), One sided limits (review only), Limits at infinity, Infinite limits, Continuity (up to continuity of composite functions)[Chapter 1 Sections 1.1, 1.3, 1.4 and 1.5 of Text 1] |          |
|           | 13                                                | Maclaurin and Taylor series [Section 6.3 of Text 1]                                                                                                                                                                   |          |

## Practical sessions – 30 hours

All the topics (including those in the suggestions for the teacher designed module) can be used for practical sessions.

### Problems for the practical examination

1. Demonstrate the basic arithmetic operations (+, -, \*, ^, /)
2. Demonstrate how to use the standard trigonometric, log, exponential functions, and how to evaluate them at given real numbers
3. Define polynomials of various order, evaluate them
4. Define functions, and evaluate one-sided limits
5. Define functions, and evaluate two-sided limits
6. Demonstrate the plot command with various options (line style, color, thickness etc)
7. Define functions, find their derivatives of different orders
8. Defining sequences, printing certian number of terms from it
9. Computing partial sums of series
10. Computing Maclaurin series
11. Computing Taylor polynomials



A record should be maintained with atleast 7 problems from the above. Each problem in the record must have a description of the problem, algorithm (step by step procedure), commands used, input given and output obtained accordingly. For the ESE, from the list of above 10 problems, the student should be able to answer two selected (from the 7 available in the record) by the examiner.

## Textbook

1. Howard Anton, Irl Bivens, Stephens Davis, Calculus 10th Edition ,Wiley, 2012

## References

1. G B Thomas, R L Finney, Calculus, 9th Edition, Addison-Weseley Publishing Company, 2004.
2. K. F. Riley, .M. P. Hobson, S. J. Bence, Mathematical Methods for Physics and Engineering, Third Edition, Cambridge University Press, 2006.
3. J Stewart, Calculus with Early Transcendental Functions, 7th Edition, Cengage India Private Limited, 2008.
4. Mary L Boas, Mathematical Methods in Physical Science, 3rd Edition, 2006.

## Resources for practical sessions

- P1. Sagemath documentation – Introductory Sage Tutorial <https://doc.sagemath.org/html/en/prep/Intro-Tutorial.html>
- P2. Saskia Roos, Michael Jung, *An Introductory Course on Sage, Lecture Notes* [https://www.math.uni-potsdam.de/fileadmin/user\\_upload/An\\_Introductory\\_Course\\_on\\_Sage.pdf](https://www.math.uni-potsdam.de/fileadmin/user_upload/An_Introductory_Course_on_Sage.pdf)
- P3. Sagemath documentation – Symbolic variables <https://doc.sagemath.org/html/en/reference/calculus/sage/calculus/var.html>
- P4. Tuan A. Le, Hieu D. Nguyen, SageMath Advice for calculus <https://users.rowan.edu/~nguyen/sage/SageMathAdviceforCalculus.pdf>
- P5. P. Zimmermann *et al*, Computational Mathematics with SageMath, <https://www.sagemath.org/sagebook/english.html>
- P6. Gregory V. Bard, Sage for Undergraduates <http://www.people.vcu.edu/~clarson/bard-sage-for-undergraduates-2014.pdf>
- P7. Robert A. Beezer, *A First Course in Linear Algebra* <http://linear.ups.edu/html/sage.html>
- P8. Sagemath documentation – Linear Algebra [https://doc.sagemath.org/html/en/tutorial/tour\\_linalg.html](https://doc.sagemath.org/html/en/tutorial/tour_linalg.html)





## Course Outcomes

| CO No. | Upon completion of the course the graduate will be able to                              | PO/PSO          | Cognitive Level | Knowledge Category | Lecture(L)<br>Tutorial (T) | Practical (P) |
|--------|-----------------------------------------------------------------------------------------|-----------------|-----------------|--------------------|----------------------------|---------------|
| CO 1   | Calculate the solution of algebraic and transcendental equation using numerical methods | PO 2, PSO1, 2,3 | U, Ap           | F,C                | L                          |               |
| CO 2   | Apply numerical techniques to interpolate data points effectively                       | PO1, PSO1, 2,3  | U, Ap           | F,C                | L                          |               |
| CO 3   | Apply numerical techniques for differentiation and integration                          | PO2, PSO1, 2,3  | U, Ap           | F,C                | L                          |               |
| CO 4   | Calculate the solution of ordinary differential equations using numerical methods       | PO2, PSO1, 2,3  | U, Ap           | F,C                | L                          |               |

(R-Remember, U-Understand, Ap-Apply, An-Analyse, E-Evaluate, C-Create)  
(F-Factual, C-Conceptual, P-Procedural, M-Metacognitive)

## Mapping of CO with PSOs and POs

|     | PSO1 | PSO2 | PSO3 | PSO4 | PSO5 | PSO6 | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 |
|-----|------|------|------|------|------|------|-----|-----|-----|-----|-----|-----|-----|-----|
| CO1 | 3    | 3    | 2    | -    | -    | -    | -   | 3   | -   | -   | -   | -   | -   | -   |
| CO2 | 3    | 3    | 2    | -    | -    | -    | 3   | -   | -   | -   | -   | -   | -   | -   |
| CO3 | 3    | 3    | 2    | -    | -    | -    | -   | 3   | -   | -   | -   | -   | -   | -   |
| CO4 | 3    | 3    | 2    | -    | -    | -    | -   | 3   | -   | -   | -   | -   | -   | -   |

( - -Null, 1-Slightly/Low, 2-Moderate/Medium, 3-Substantial/High)

## Assessment Rubrics

- Quiz/Assignment/Discussion/Seminar
- Midterm Exam



- Programming Assignments
- Final Exam

## Mapping of COs to Assessment Rubrics

|     | Internal Examination | Assignment | Project Evaluation | End Semester Exam |
|-----|----------------------|------------|--------------------|-------------------|
| CO1 | ✓                    | ✓          |                    | ✓                 |
| CO2 | ✓                    | ✓          |                    | ✓                 |
| CO3 | ✓                    | ✓          |                    | ✓                 |
| CO4 | ✓                    | ✓          |                    | ✓                 |





## University of Kerala

|                |                                                                                                                               |                     |                      |           |                         |
|----------------|-------------------------------------------------------------------------------------------------------------------------------|---------------------|----------------------|-----------|-------------------------|
| Discipline     | Mathematics                                                                                                                   |                     |                      |           |                         |
| Course Code    | UK1DSCMAT103                                                                                                                  |                     |                      |           |                         |
| Course Title   | Differentiation and Linear System of Equations                                                                                |                     |                      |           |                         |
| Type of Course | DSC                                                                                                                           |                     |                      |           |                         |
| Semester       | I                                                                                                                             |                     |                      |           |                         |
| Academic Level | 100-199                                                                                                                       |                     |                      |           |                         |
| Course Details | Credit                                                                                                                        | Lecture<br>per week | Tutorial<br>per week | Practical | Total<br>Hours per week |
|                | 4                                                                                                                             | 3                   | -                    | 2         | 5                       |
| Pre-requisites | 1. Functions and Limits, Techniques of differentiation 2. Matrices<br>Solution of system of linear equations in two variables |                     |                      |           |                         |
| Course Summary | This course provides brief idea about differentiation<br>and basics of Linear Algebra                                         |                     |                      |           |                         |

## Detailed Syllabus

| Module     | Unit | Contents                                                                                                                                                       | Hrs      |
|------------|------|----------------------------------------------------------------------------------------------------------------------------------------------------------------|----------|
| <b>I</b>   |      | <b>Differentiation</b>                                                                                                                                         | <b>9</b> |
|            | 1    | The Chain Rule, Implicit Differentiation ( <i>Chapter 2 Sections 2.6, 2.7 of Text [1]</i> )                                                                    |          |
| <b>II</b>  |      | <b>Differentiation of exponential and logarithmic functions</b>                                                                                                | <b>9</b> |
|            | 2    | Derivatives involving Exponential and logarithmic functions ( <i>Chapter 6 Section 6.2 (excluding topics and problems involving integration) of Text [1]</i> ) |          |
|            | 3    | L'Hôpital's rule ( <i>Chapter 6 Section 6.5 of Text [1]</i> )                                                                                                  |          |
| <b>III</b> |      | <b>Matrices and Systems of linear equations</b>                                                                                                                | <b>9</b> |
|            | 4    | Linear Systems of Equations, Gauss Elimination, Linear Independence, Rank of a Matrix. ( <i>Sections 7.3, 7.4 of Text [2] (Exclude vector space)</i> )         |          |



| Module    | Unit | Contents                                                                                                                                                                           | Hrs      |
|-----------|------|------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|----------|
|           | 5    | Solutions of Linear Systems: Existence, Uniqueness ( <i>Chapter 7 Section 7.5 of Text [2] (omit proofs of theorems)</i> )                                                          |          |
| <b>IV</b> |      | <b>Eigen values and Eigen vectors</b>                                                                                                                                              | <b>9</b> |
|           | 6    | The Matrix Eigenvalue Problem. Determining Eigenvalues and Eigenvectors ( <i>Chapter 8 Section 8.1 of Text [2] )</i>                                                               |          |
| <b>V</b>  |      | <b>Suggestions for the teacher designed module</b>                                                                                                                                 | <b>9</b> |
|           | 7    | Tangent lines and limits (review only), One sided limits (review only), Exponential and logarithmic functions, Symmetric, Skew-Symmetric, and Orthogonal Matrices, Diagonalization |          |

## Practical sessions – 30 hours

All the topics (including those in the suggestions for the teacher designed module) can be used for practical sessions.

### Problems for the practical examination

1. Demonstrate the basic arithmetic operations (+, -, \*, ^, /)
2. Demonstrate how to use the standard trigonometric, log, exponential functions, and how to evaluate them at given real numbers
3. Define polynomials of various order, evaluate them
4. Define functions, and evaluate one-sided limits
5. Define functions, and evaluate two-sided limits
6. Demonstrate the plot command with various options (line style, color, thickness etc)
7. Define functions, find their derivatives of different orders
8. Forming matrices of different orders
9. Forming identity, zero, scalar matrices
10. Operations on matrices (multiplication, inverses, transposes, cofactor, adjoint)
11. Forming systems of linear equations using symbolic variables
12. Forming matrices for systems, forming augmented matrices
13. Row reduction operations on matrices

A record should be maintained with atleast 7 problems from the above. Each problem in the record must have a description of the problem, algorithm (step by step procedure), commands used, input given and output obtained accordingly. For the ESE, from the list of above 10 problems, the student should be able to answer two selected (from the 7 available in the record) by the examiner.



## Textbooks

1. H Anton, Irl Bivens, S Davis, *Calculus*, 10th Edition, John Wiley & Sons. 2012.
2. Erwin Kreyszig, *Advanced Engineering Mathematics*, Wiley Publishers, 10th Edition, 2018.

## References

1. T S Blyth, E F Robertson, *Linear Algebra*, Second Edition, Springer, 2013.
2. David C Lay, *Linear Algebra and its applications*, Pearson, 2003.
3. Joel Hass, Maurice D. Weir, *Thomas' Calculus Early Transcendentals*, 12th Edition, Addison-Weseley Publishing Company, 2004.
4. Lee W. Johnson, R Dean Riess, Jimmy T. Arnold, *Introduction to Linear Algebra*, Fifth Edition, Addison Wesley, 2001.
5. J Stewart, *Calculus with Early Transcendental Functions*, 7th Edition, Cengage India Private Limited, 2004.
6. Thomas Banchoff, John Wermer, *Linear Algebra Through Geometry*, 2nd Edition, Springer, 2012.
7. G B Thomas, R L Finney, *Calculus*, 9th Edition, Addison-Weseley Publishing Company, 2006.

## Resources for practical sessions

- P1. Sagemath documentation – Introductory Sage Tutorial <https://doc.sagemath.org/html/en/prep/Intro-Tutorial.html>
- P2. Saskia Roos, Michael Jung, *An Introductory Course on Sage, Lecture Notes* [https://www.math.uni-potsdam.de/fileadmin/user\\_upload/An\\_Introductory\\_Course\\_on\\_Sage.pdf](https://www.math.uni-potsdam.de/fileadmin/user_upload/An_Introductory_Course_on_Sage.pdf)
- P3. Sagemath documentation – Symbolic variables <https://doc.sagemath.org/html/en/reference/calculus/sage/calculus/var.html>
- P4. Tuan A. Le, Hieu D. Nguyen, SageMath Advice for calculus <https://users.rowan.edu/~nguyen/sage/SageMathAdviceforCalculus.pdf>
- P5. P. Zimmermann *et al*, Computational Mathematics with SageMath, <https://www.sagemath.org/sagebook/english.html>
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- P7. Robert A. Beezer, *A First Course in Linear Algebra* <http://linear.ups.edu/html/sage.html>



P8. Sagemath documentation – Linear Algebra [https://doc.sagemath.org/html/en/tutorial/tour\\_linalg.html](https://doc.sagemath.org/html/en/tutorial/tour_linalg.html)

## Course Outcomes

| CO No. | Upon completion of the course the graduate will be able to                                                                                                 | PO/PSO   | Cognitive Level | Knowledge Category | Lecture(L)<br>Tutorial (T) | Practical (P) |
|--------|------------------------------------------------------------------------------------------------------------------------------------------------------------|----------|-----------------|--------------------|----------------------------|---------------|
| CO 1   | Understand the concept of differentiability                                                                                                                | PSO 1    | U               | F, C               | L                          |               |
| CO 2   | Apply the concept of differentiability                                                                                                                     | PSO 2, 4 | Ap, An          | P                  | L                          |               |
| CO 3   | Understand the concepts of Matrix operations and their algebraic properties, System of linear equations and their Matrix representation, Gauss Elimination | PSO 1    | U               | F, C               | L                          |               |
| CO 4   | Able to find the eigen values powers of matrices and diagonalization of matrices                                                                           | PSO 2, 4 | Ap, An          | P                  | L                          |               |

(R-Remember, U-Understand, Ap-Apply, An-Analyse, E-Evaluate, C-Create)  
(F-Factual, C-Conceptual, P-Procedural, M-Metacognitive)

## Mapping of CO with PSOs and POs

|     | PSO1 | PSO2 | PSO3 | PSO4 | PSO5 | PSO6 | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 |
|-----|------|------|------|------|------|------|-----|-----|-----|-----|-----|-----|-----|-----|
| CO1 | 2    | -    | -    | -    | -    | -    | -   | -   | -   | -   | 1   | 2   | -   | -   |
| CO2 | -    | 2    | -    | 2    | -    | -    | -   | -   | -   | -   | -   | 2   | -   | 1   |
| CO3 | 2    | -    | -    | -    | -    | -    | -   | -   | -   | -   | 1   | 2   | -   | -   |
| CO4 | -    | 2    | -    | 2    | -    | -    | -   | -   | -   | -   | -   | 2   | -   | -   |

(- -Nil, 1-Slightly/Low, 2-Moderate/Medium, 3-Substantial/High)

## Assessment Rubrics

- Quiz/Assignment/Discussion/Seminar



- Midterm Exam
- Programming Assignments
- Final Exam

## Mapping of COs to Assessment Rubrics

|     | Internal Examination | Assignment | Project Evaluation | End Semester Exam |
|-----|----------------------|------------|--------------------|-------------------|
| CO1 | ✓                    |            |                    | ✓                 |
| CO2 | ✓                    | ✓          |                    | ✓                 |
| CO3 | ✓                    |            |                    | ✓                 |
| CO4 | ✓                    | ✓          |                    | ✓                 |





## University of Kerala

|                |                                                                                |                     |                      |                       |                         |
|----------------|--------------------------------------------------------------------------------|---------------------|----------------------|-----------------------|-------------------------|
| Discipline     | Mathematics                                                                    |                     |                      |                       |                         |
| Course Code    | UK1DSCMAT104                                                                   |                     |                      |                       |                         |
| Course Title   | Differentiation and Theory of Numbers                                          |                     |                      |                       |                         |
| Type of Course | DSC                                                                            |                     |                      |                       |                         |
| Semester       | I                                                                              |                     |                      |                       |                         |
| Academic Level | 100-199                                                                        |                     |                      |                       |                         |
| Course Details | Credit                                                                         | Lecture<br>per week | Tutorial<br>per week | Practical<br>per week | Total<br>Hours per week |
|                | 4                                                                              | 3                   | -                    | 2                     | 5                       |
| Pre-requisites | 1. Differentiation 2. Integration                                              |                     |                      |                       |                         |
| Course Summary | This course provides a brief idea about differentiation and theory of numbers. |                     |                      |                       |                         |

## Detailed Syllabus

| Module    | Unit | Contents                                                                                          | Hrs      |
|-----------|------|---------------------------------------------------------------------------------------------------|----------|
| <b>I</b>  |      | <b>Differentiation</b>                                                                            | <b>9</b> |
|           | 1    | Tangent lines and rate of change, The derivative function [Chapter 2 Sections 2.1, 2.2 of Text 1] |          |
|           | 2    | The Chain Rule, Implicit Differentiation [(Chapter 2 Sections 2.6, 2.7 of Text 1]                 |          |
| <b>II</b> |      | <b>Differentiation of exponential and logarithmic functions</b>                                   | <b>9</b> |
|           | 3    | Exponential and logarithmic functions (review only) [Chapter 6 Section 6.1 of Text 1]             |          |
|           | 4    | Derivatives involving Exponential and logarithmic functions [Chapter 6 Section 6.2 of Text 1]     |          |
|           | 5    | L'Hospital's rule [Chapter 6 Section 6.5 of Text 1]                                               |          |





| Module<br>III | Unit | Contents                                                                                                                                                                                                                                                           | Hrs      |
|---------------|------|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|----------|
|               |      | <b>Divisibility</b>                                                                                                                                                                                                                                                | <b>9</b> |
|               | 6    | Mathematical induction : Well-ordering Principle, Weak version of induction, Principle of Mathematical induction [Chapter 1 Sections 1.3 of Text 2 (Exclude all from Example 1.12)]                                                                                |          |
|               | 7    | Division Algorithm : Theorem 2.1, Example 2.1, Div and Mod operators, Theorem 2.2, Example 2.2, Theorem 2.3, Theorem 2.4. Exclude the subsections marked as <i>Optional</i> [Chapter 2 - Section 2.1 of Text 2]                                                    |          |
|               | 8    | Prime and Composite Numbers : Prime numbers, composite numbers, Lemma 2.1, Theorem 2.8, Theorem 2.9, Example 2.22. Exclude the subsections marked as <i>Optional</i> , The topics in this section is covered upto Example 2.22 [Chapter 2 - Section 2.5 of Text 2] |          |
| <b>IV</b>     |      | <b>The Euclidean Algorithm</b>                                                                                                                                                                                                                                     | <b>9</b> |
|               | 9    | Greatest Common Divisor : Definition of GCD, Relatively prime integers, Lemma 3.1, Theorem 3.2, Theorem 3.4. Exclude the subsections marked as <i>Optional</i> [Chapter 3 Section 3.1 of Text 2]                                                                   |          |
|               | 10   | The Euclidean Algorithm : Theorem 3.11, Example 3.5, Example 3.6, The Euclidean algorithm, Example 3.7, Example 3.8. Exclude the subsections marked as <i>Optional</i> [Chapter 3 Section 3.2 of Text 2]                                                           |          |
|               | 11   | The Fundamental Theorem of Arithmetic : Lemma 3.3, Lemma 3.4, Corollary 3.9, Theorem 3.13(Without proof), Canonical decomposition, Example 3.9, Example 3.10. The topics in this section is covered upto Example 3.10. [Chapter 3 Sections 3.3 of Text 2]          |          |
| <b>V</b>      |      | <b>Teacher designed module - suggested topics</b>                                                                                                                                                                                                                  | <b>9</b> |
|               | 12   | Tangent lines and limits (review only), One sided limits (review only), Limits at infinity, Infinite limits, Continuity (up to continuity of composite functions)[Chapter 1 Sections 1.1, 1.3, 1.4 and 1.5 of Text 1]                                              |          |
|               | 13   | Introduction to Techniques of Differentiation, The Product and Quotient Rules, Derivatives of Trigonometric Functions (review only) [Chapter 2: Sections 2.3, 2.4, 2.5 of Text 1]                                                                                  |          |
|               | 14   | Strong version of induction [Section 1.3 - Theorem 1.7 of Text 2]                                                                                                                                                                                                  |          |
|               | 15   | Union, Intersection and Complement, The inclusion exclusion principle[Chapter 2 - Section 2.1 - Theorem 2.6 of Text 2]                                                                                                                                             |          |
|               | 16   | Least Common Multiple : Definition of LCM, Important Observation, Example 3.14, Theorem 3.17, Example 3.15, Corollary 3.10. [Chapter 3 Sections 3.4 of Text 2]                                                                                                     |          |



## Practical sessions – 30 hours

All the topics (including those in the suggestions for the teacher designed module) can be used for practical sessions.

### Problems for the practical examination

1. Demonstrating basic arithmetic operators  $+$ ,  $-$ ,  $*$ ,  $^$ , modulo operator  $\%$
2. Demonstrate how to use the standard trigonometric, log, exponential functions, and how to evaluate them at given real numbers
3. Define polynomials of various order, evaluate them
4. Define functions, and evaluate one-sided limits
5. Define functions, and evaluate two-sided limits
6. Demonstrate the plot command with various options (line style, color, thickness etc)
7. Define functions, find their derivatives of different orders
8. Finding remainder and quotient
9. Finding Gcd using Euclidean algorithm
10. Problems using inclusion-exclusion principle
11. Determining if a number is a prime, finding list of primes
12. Using Euler  $\phi$  function
13. Canonical decomposition

A record should be maintained with atleast 7 problems from the above. Each problem in the record must have a description of the problem, algorithm (step by step procedure), commands used, input given and output obtained accordingly. For the ESE, from the list of above 10 problems, the student should be able to answer two selected (from the 7 available in the record) by the examiner.

### Textbook

1. Howard Anton, Irl Bivens, Stephens Davis, Calculus 10th Edition ,Wiley,2012.
2. Thomas Koshy, Elementary Number Theory with Applications, 2nd Edition, Academic Press, 2007.



## References

1. G B Thomas, R L Finney, Calculus, 9th Edition, Addison-Weseley Publishing Company, 2004.
2. K. F. Riley, .M. P. Hobson, S. J. Bence, Mathematical Methods for Physics and Engineering, Third Edition, Cambridge University Press, 2006.
3. J Stewart, Calculus with Early Transcendental Functions, 7th Edition, Cengage India Private Limited, 2008.
4. Mary L Boas, Mathematical Methods in Physical Science, 3rd Edition, 2006.
5. David M. Burton, Elementary Number Theory, 7th Edition, McGraw Hill, 2011.
6. G A Jones, J M Jones, Elementary Number Theory, Springer, 1998.

## Resources for practical sessions

- P1. Sagemath documentation – Introductory Sage Tutorial <https://doc.sagemath.org/html/en/prep/Intro-Tutorial.html>
- P2. Saskia Roos, Michael Jung, *An Introductory Course on Sage, Lecture Notes* [https://www.math.uni-potsdam.de/fileadmin/user\\_upload/An\\_Introductory\\_Course\\_on\\_Sage.pdf](https://www.math.uni-potsdam.de/fileadmin/user_upload/An_Introductory_Course_on_Sage.pdf)
- P3. Sagemath documentation – Symbolic variables <https://doc.sagemath.org/html/en/reference/calculus/sage/calculus/var.html>
- P4. Tuan A. Le, Hieu D. Nguyen, SageMath Advice for calculus <https://users.rowan.edu/~nguyen/sage/SageMathAdviceforCalculus.pdf>
- P5. P. Zimmermann *et al*, Computational Mathematics with SageMath, <https://www.sagemath.org/sagebook/english.html>
- P6. Gregory V. Bard, Sage for Undergraduates <http://www.people.vcu.edu/~clarson/bard-sage-for-undergraduates-2014.pdf>
- P7. Robert A. Beezer, *A First Course in Linear Algebra* <http://linear.ups.edu/html/sage.html>
- P8. Sagemath documentation – Linear Algebra [https://doc.sagemath.org/html/en/tutorial/tour\\_linalg.html](https://doc.sagemath.org/html/en/tutorial/tour_linalg.html)



## Course Outcomes

| CO No. | Upon completion of the course the graduate will be able to                              | PO/PSO          | Cognitive Level | Knowledge Category | Lecture(L)<br>Tutorial (T) | Practical (P) |
|--------|-----------------------------------------------------------------------------------------|-----------------|-----------------|--------------------|----------------------------|---------------|
| CO 1   | Calculate the solution of algebraic and transcendental equation using numerical methods | PO 2, PSO1, 2,3 | U, Ap           | F,C                | L                          |               |
| CO 2   | Apply numerical techniques to interpolate data points effectively                       | PO1, PSO1, 2,3  | U, Ap           | F,C                | L                          |               |
| CO 3   | Apply numerical techniques for differentiation and integration                          | PO2, PSO1, 2,3  | U, Ap           | F,C                | L                          |               |
| CO 4   | Calculate the solution of ordinary differential equations using numerical methods       | PO2, PSO1, 2,3  | U, Ap           | F,C                | L                          |               |

(R-Remember, U-Understand, Ap-Apply, An-Analyse, E-Evaluate, C-Create)  
(F-Factual, C-Conceptual, P-Procedural, M-Metacognitive)

## Mapping of CO with PSOs and POs

|     | PSO1 | PSO2 | PSO3 | PSO4 | PSO5 | PSO6 | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 |
|-----|------|------|------|------|------|------|-----|-----|-----|-----|-----|-----|-----|-----|
| CO1 | 3    | 3    | 2    | -    | -    | -    | -   | 3   | -   | -   | -   | -   | -   | -   |
| CO2 | 3    | 3    | 2    | -    | -    | -    | 3   | -   | -   | -   | -   | -   | -   | -   |
| CO3 | 3    | 3    | 2    | -    | -    | -    | -   | 3   | -   | -   | -   | -   | -   | -   |
| CO4 | 3    | 3    | 2    | -    | -    | -    | -   | 3   | -   | -   | -   | -   | -   | -   |

( - -Null, 1-Slightly/Low, 2-Moderate/Medium, 3-Substantial/High)

## Assessment Rubrics

- Quiz/Assignment/Discussion/Seminar
- Midterm Exam



- Programming Assignments
- Final Exam

## Mapping of COs to Assessment Rubrics

|     | Internal Examination | Assignment | Project Evaluation | End Semester Exam |
|-----|----------------------|------------|--------------------|-------------------|
| CO1 | ✓                    | ✓          |                    | ✓                 |
| CO2 | ✓                    | ✓          |                    | ✓                 |
| CO3 | ✓                    | ✓          |                    | ✓                 |
| CO4 | ✓                    | ✓          |                    | ✓                 |





## University of Kerala

|                |                                                                    |                     |                      |                       |                         |
|----------------|--------------------------------------------------------------------|---------------------|----------------------|-----------------------|-------------------------|
| Discipline     | Mathematics                                                        |                     |                      |                       |                         |
| Course Code    | UK1DSCMAT105                                                       |                     |                      |                       |                         |
| Course Title   | Differentiation and Complex Numbers                                |                     |                      |                       |                         |
| Type of Course | DSC                                                                |                     |                      |                       |                         |
| Semester       | I                                                                  |                     |                      |                       |                         |
| Academic Level | 100-199                                                            |                     |                      |                       |                         |
| Course Details | Credit                                                             | Lecture<br>per week | Tutorial<br>per week | Practical<br>per week | Total<br>Hours per week |
|                | 4                                                                  | 3                   | -                    | 2                     | 5                       |
| Pre-requisites | 1. Differentiation 2. Integration                                  |                     |                      |                       |                         |
| Course Summary | This course provides basics on differentiation and complex numbers |                     |                      |                       |                         |

## Detailed Syllabus

| Module     | Unit | Contents                                                                                             | Hrs      |
|------------|------|------------------------------------------------------------------------------------------------------|----------|
| <b>I</b>   |      | <b>Differentiation</b>                                                                               | <b>9</b> |
|            | 1    | Tangent lines and rate of change, The derivative function. (Chapter 2 Sections 2.1, 2.2 of Text [1]) |          |
|            | 2    | The Chain Rule, Implicit Differentiation (Chapter 2 Sections 2.6, 2.7 of Text [1])                   |          |
| <b>II</b>  |      | <b>Differentiation of exponential and logarithmic functions</b>                                      | <b>9</b> |
|            | 3    | Exponential and logarithmic functions (review only) (Chapter 6 Section 6.1 of Text [1])              |          |
|            | 4    | Derivatives involving Exponential and logarithmic functions (Chapter 6 Section 6.2 of Text [1])      |          |
|            | 5    | L'Hôpital's rule (Chapter 6 Section 6.5 of Text [1])                                                 |          |
| <b>III</b> |      | <b>Complex Numbers</b>                                                                               | <b>9</b> |
|            | 6    | Sums and Products, Basic Algebraic Properties (Chapter 1 Sections 1, 2 of Text [2])                  |          |



| Module    | Unit                                              | Contents                                                                                                                                                                                                                 | Hrs      |
|-----------|---------------------------------------------------|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|----------|
|           | 7                                                 | Further Properties of complex numbers, Vectors and Moduli (Chapter 1 Sections 3, 4 of Text [2])                                                                                                                          |          |
|           | 8                                                 | Complex Conjugates [Chapter 1 Section 5 of Text 2]                                                                                                                                                                       |          |
| <b>IV</b> | <b>Argument and roots of complex numbers</b>      |                                                                                                                                                                                                                          | <b>9</b> |
|           | 9                                                 | Arguments of Products and Quotients (Chapter 1 Section 8 of Text [2])                                                                                                                                                    |          |
|           | 10                                                | Roots of Complex Numbers, Examples (Chapter 1 Sections 9, 10 of Text [2])                                                                                                                                                |          |
| <b>V</b>  | <b>Teacher designed module - suggested topics</b> |                                                                                                                                                                                                                          | <b>9</b> |
|           | 11                                                | Tangent lines and limits (review only), One sided limits (review only), Limits at infinity, Infinite limits, Continuity (up to continuity of composite functions) (Chapter 1 Sections 1.1, 1.3, 1.4 and 1.5 of Text [1]) |          |
|           | 12                                                | Introduction to Techniques of Differentiation, The Product and Quotient Rules, Derivatives of Trigonometric Functions (review only) (Chapter 2: Sections 2.3, 2.4, 2.5 of Text [1])                                      |          |
|           | 13                                                | Exponential Form, Products and Powers in Exponential Form (Chapter 1 Sections 6, 7 of Text [2])                                                                                                                          |          |

## Practical sessions and examinations – 30 hours

All the topics mentioned above should be used for practical sessions using SageMath software. Some useful resources for solving these problems using the SageMath software are given against each problem/ type of problems.

- Introducing the SAGEMATH interface, SAGE cell server:
  - SageMath – documentation  
<https://doc.sagemath.org/html/en/tutorial/introduction.html>
  - Online SageMath server <https://sagecell.sagemath.org/>
- Introduce basic arithmetic involving operators +, -, /, exponentiation; functions like sin, cos, tan,  $e$ , log,  $\sqrt{x}$ , constant  $\pi$
- Defining and using lists, dictionaries, sets, and accessing elements in lists and dictionaries.
- Defining variables using var
- Using `diff` command to find derivatives of standard functions and higher order derivatives.
- Find derivatives of exponential and logarithmic functions.
- Defining complex numbers, accessing its real and imaginary parts
- Computing argument, modulus of complex numbers



9. Plotting Complex numbers as vectors on plane
10. Verifying the relation between arguments of individual complex numbers and their products, quotients
11. Finding roots of complex numbers

A record should be maintained with atleast 7 problems from the main topics/teacher designed topics. Each problem in the record must have a description of the problem, algorithm (step by step procedure), commands used, input given and output obtained accordingly. For the ESE, from the list of above 10 problems, the student should be able to answer two selected (from the 7 available in the record) by the examiner.

## Textbook

1. Howard Anton, Irl Bivens, Stephens Davis, Calculus 10th Edition ,Wiley,2012.
2. James Ward Brown, Ruel V. Churchill, Complex Variables and Applicatons, 8th edition, McGraw Hill, 2001.

## Resources for practical sessions

- P1. Sagemath documentation – Introductory Sage Tutorial <https://doc.sagemath.org/html/en/prep/Intro-Tutorial.html>
- P2. Saskia Roos, Michael Jung, *An Introductory Course on Sage, Lecture Notes* [https://www.math.uni-potsdam.de/fileadmin/user\\_upload/An\\_Introductory\\_Course\\_on\\_Sage.pdf](https://www.math.uni-potsdam.de/fileadmin/user_upload/An_Introductory_Course_on_Sage.pdf)
- P3. Sagemath documentation – Symbolic variables <https://doc.sagemath.org/html/en/reference/calculus/sage/calculus/var.html>
- P4. Tuan A. Le, Hieu D. Nguyen, SageMath Advice for calculus <https://users.rowan.edu/~nguyen/sage/SageMathAdviceforCalculus.pdf>
- P5. P. Zimmermann *et al*, Computational Mathematics with SageMath, <https://www.sagemath.org/sagebook/english.html>
- P6. Gregory V. Bard, Sage for Undergraduates <http://www.people.vcu.edu/~clarson/bard-sage-for-undergraduates-2014.pdf>
- P7. SageMath documentation – Double precision floating point complex numbers [https://doc.sagemath.org/html/en/reference/rings\\_numerical/sage/rings/complex\\_double.html](https://doc.sagemath.org/html/en/reference/rings_numerical/sage/rings/complex_double.html)
- P8. Ask SageMath Q & A <https://ask.sagemath.org/questions/scope:all/sort:age-desc/tags:complex-analysis/page:1/>





## References

1. G B Thomas, R L Finney, Calculus, 9th Edition, Addison-Weseley Publishing Company, 2004.
2. K. F. Riley, .M. P. Hobson, S. J. Bence, Mathematical Methods for Physics and Engineering, Third Edition, Cambridge University Press, 2006.
3. J Stewart, Calculus with Early Transcendental Functions, 7th Edition, Cengage India Private Limited, 2008.
4. Mary L Boas, Mathematical Methods in Physical Science, 3rd Edition, 2006.
5. Dennis G. Zill, Patric D Shanahan, A First Course in Complex Analysis with Applications, Jones and Bartlett Publishers, 2003.
6. Edward B. Saff, Arthur David Snider, Fundamentals of Complex Analysis with Applications to Engineering and Science, 3rd Edition, Pearson Education India, 2017.

## Course Outcomes

| CO No. | Upon completion of the course the graduate will be able to                              | PO/PSO          | Cognitive Level | Knowledge Category | Lecture(L)<br>Tutorial (T) | Practical (P) |
|--------|-----------------------------------------------------------------------------------------|-----------------|-----------------|--------------------|----------------------------|---------------|
| CO 1   | Calculate the solution of algebraic and transcendental equation using numerical methods | PO 2, PSO1, 2,3 | U, Ap           | F,C                | L                          |               |
| CO 2   | Apply numerical techniques to interpolate data points effectively                       | PO1, PSO1, 2,3  | U, Ap           | F,C                | L                          |               |
| CO 3   | Apply numerical techniques for differentiation and integration                          | PO2, PSO1, 2,3  | U, Ap           | F,C                | L                          |               |
| CO 4   | Calculate the solution of ordinary differential equations using numerical methods       | PO2, PSO1, 2,3  | U, Ap           | F,C                | L                          |               |

(R-Remember, U-Understand, Ap-Apply, An-Analyse, E-Evaluate, C-Create)  
(F-Factual, C-Conceptual, P-Procedural, M-Metacognitive)



## Mapping of CO with PSOs and POs

|     | PSO1 | PSO2 | PSO3 | PSO4 | PSO5 | PSO6 | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 |
|-----|------|------|------|------|------|------|-----|-----|-----|-----|-----|-----|-----|-----|
| CO1 | 3    | 3    | 2    | -    | -    | -    | -   | 3   | -   | -   | -   | -   | -   | -   |
| CO2 | 3    | 3    | 2    | -    | -    | -    | 3   | -   | -   | -   | -   | -   | -   | -   |
| CO3 | 3    | 3    | 2    | -    | -    | -    | -   | 3   | -   | -   | -   | -   | -   | -   |
| CO4 | 3    | 3    | 2    | -    | -    | -    | -   | 3   | -   | -   | -   | -   | -   | -   |

( - -Nil, 1-Slightly/Low, 2-Moderate/Medium, 3-Substantial/High)

## Assessment Rubrics

- Quiz/Assignment/Discussion/Seminar
- Midterm Exam
- Programming Assignments
- Final Exam

## Mapping of COs to Assessment Rubrics

|     | Internal Examination | Assignment | Project Evaluation | End Semester Exam |
|-----|----------------------|------------|--------------------|-------------------|
| CO1 | ✓                    | ✓          |                    | ✓                 |
| CO2 | ✓                    | ✓          |                    | ✓                 |
| CO3 | ✓                    | ✓          |                    | ✓                 |
| CO4 | ✓                    | ✓          |                    | ✓                 |





## University of Kerala

|                |                                                                              |                     |                      |           |                         |
|----------------|------------------------------------------------------------------------------|---------------------|----------------------|-----------|-------------------------|
| Discipline     | Mathematics                                                                  |                     |                      |           |                         |
| Course Code    | UK1DSCMAT106                                                                 |                     |                      |           |                         |
| Course Title   | Number Theory and Linear System of Equations                                 |                     |                      |           |                         |
| Type of Course | DSC                                                                          |                     |                      |           |                         |
| Semester       | I                                                                            |                     |                      |           |                         |
| Academic Level | 100-199                                                                      |                     |                      |           |                         |
| Course Details | Credit                                                                       | Lecture<br>per week | Tutorial<br>per week | Practical | Total<br>Hours per week |
|                | 4                                                                            | 4                   | -                    | -         | 4                       |
| Pre-requisites | 1. Natural Numbers 2. Matrices                                               |                     |                      |           |                         |
| Course Summary | This course provides a study on number theory and linear system of equations |                     |                      |           |                         |

## Detailed Syllabus

| Module   | Unit | Contents                                                                                                                                                                                                                                                                                                     | Hrs       |
|----------|------|--------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------|
| <b>I</b> |      | <b>The Euclidean Algorithm</b>                                                                                                                                                                                                                                                                               | <b>12</b> |
|          | 1    | The division algorithm, Pigeonhole principle, divisibility relations, inclusion-exclusion principle (Chapter 2 Sections 2.1, 2.5 of Text [2] The topics from the subsection 'A Number-Theoretic Function' onwards are excluded. But Theorem 2.12 and Lemma 2.25 to be discussed.)                            |           |
|          | 2    | Prime and composite numbers, infinitude of primes, GCD, linear combination of integers, pairwise relatively prime integers, the Euclidean algorithm for finding GCD (Chapter 3 Section 3.1 of Text [2]. The subsections marked as optional, Theorems 3.1, 3.2, 3.3, 3.12, 3.14, and Lemma 3.2 are excluded.) |           |



| Module     | Unit                                                                                       | Contents                                                                                                                                                                                                                                                                                                             | Hrs       |
|------------|--------------------------------------------------------------------------------------------|----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------|
| <b>II</b>  | <b>Congruences</b>                                                                         |                                                                                                                                                                                                                                                                                                                      | <b>12</b> |
|            | 3                                                                                          | The fundamental theorem of arithmetic, canonical decomposition of an integer into prime factors (Chapter 3 Sections 3.3 of Text [2]. The subsections marked as optional, Theorem 3.14 are excluded.)                                                                                                                 |           |
|            | 4                                                                                          | LCM (Chapter 3 Section 3.4 of Text [2])                                                                                                                                                                                                                                                                              |           |
| <b>III</b> | <b>Matrices and Systems of linear equations</b>                                            |                                                                                                                                                                                                                                                                                                                      | <b>12</b> |
|            | 5                                                                                          | Linear Systems of Equations, Gauss Elimination, Linear Independence, Rank of a Matrix.                                                                                                                                                                                                                               |           |
|            | 6                                                                                          | Solutions of Linear Systems: Existence, Uniqueness                                                                                                                                                                                                                                                                   |           |
|            | 7                                                                                          | Determinants, Cramer's Rule – $2 \times 2$ matrices only (Chapter 7 Section 7.7 of Text [2])                                                                                                                                                                                                                         |           |
|            | Chapter 7: Sections 7.2, 7.4 (avoid vector space), 7.5 omit proofs of theorems of Text [2] |                                                                                                                                                                                                                                                                                                                      |           |
| <b>IV</b>  | <b>Eigen values and Eigen vectors</b>                                                      |                                                                                                                                                                                                                                                                                                                      | <b>12</b> |
|            | 8                                                                                          | The Matrix Eigenvalue Problem. Determining Eigenvalues and Eigenvectors – $2 \times 2$ matrices only                                                                                                                                                                                                                 |           |
|            | 9                                                                                          | Symmetric, Skew-Symmetric, and Orthogonal Matrices – $2 \times 2$ matrices only                                                                                                                                                                                                                                      |           |
|            | 10                                                                                         | Diagonalization $2 \times 2$ matrices only                                                                                                                                                                                                                                                                           |           |
|            | Chapter 8 Section 8.1, 8.4 except eigen bases of Text [2]                                  |                                                                                                                                                                                                                                                                                                                      |           |
| <b>V</b>   | <b>Suggestions for teacher designed module</b>                                             |                                                                                                                                                                                                                                                                                                                      | <b>12</b> |
|            | For internal assessment examinations only.                                                 |                                                                                                                                                                                                                                                                                                                      |           |
|            | 11                                                                                         | Geometry of linear systems<br>Cramer's rule<br>Diagonalization - $3 \times 3$ matrices<br>Orthogonal Matrices,<br>Quadratic Forms<br>Mathematical induction, recursion, The division algorithm (Chapter 1 Sections 1.3, 1.4 of Text [2])<br>Congruences, modular exponentiation (Chapter 4 Section 4.1 of Text [2].) |           |
|            | These topics can be found on Chapters 1 and 4 of Text [1] and Chapter 7, 8 of Text [2]     |                                                                                                                                                                                                                                                                                                                      |           |

## Textbooks

1. Erwin Kreyszig, *Advanced Engineering Mathematics*, Wiley, 10<sup>th</sup> Edition, 2011.
2. Thomas Koshy, *Elementary Number Theory with Applications*, 2<sup>nd</sup> Edition, Academic Press, 2007.



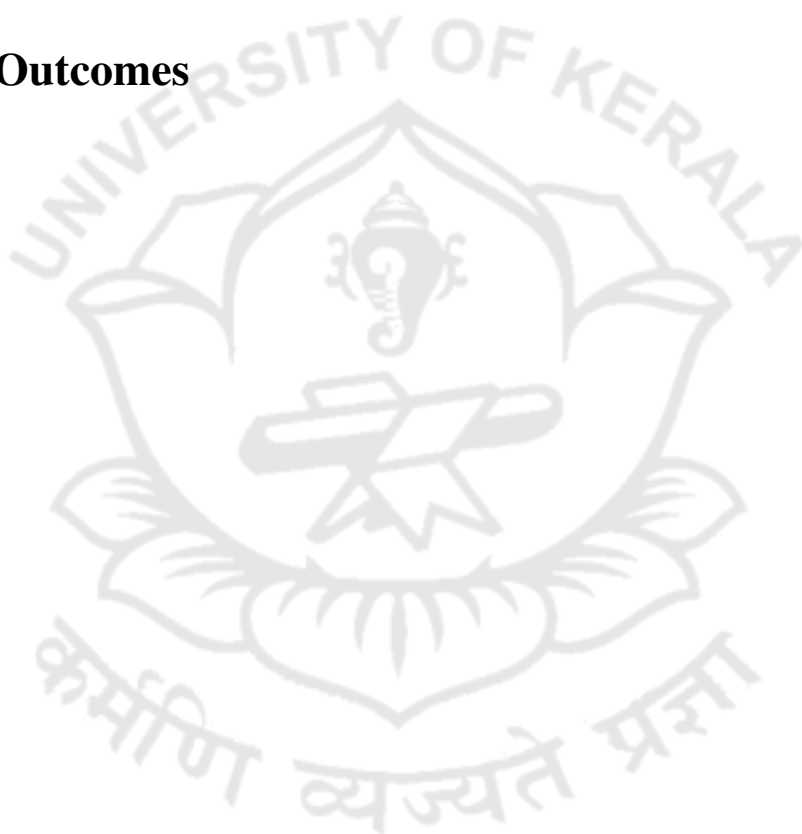
## References

1. T S Blyth, E F Robertson, *Linear Algebra*, Second Edition, Springer, 2013.
2. David C Lay, *Linear algebra and its applications*, Pearson, 2003.
3. David M. Burton, *Elementary Number Theory*, 7<sup>th</sup> Edition, McGraw Hill, 2011.
4. G A Jones, J M Jones, *Elementary Number Theory*, Springer, 1998.
5. Lee W. Johnson, R Dean Riess, Jimmy T. Arnold, *Introduction to Linear Algebra*, Fifth Edition, Addison Wesley, 2019
6. Thomas Banchoff, John Wermer, *Linear Algebra Through Geometry*, 2<sup>nd</sup> Edition, Springer, 2012.

## E-resources

1. <https://www.khanacademy.org>

## Course Outcomes



| CO No. | Upon completion of the course the graduate will be able to                                                                                              | PO/PSO                    | Cognitive Level | Knowledge Category | Lecture(L)<br>Tutorial (T) | Practical (P) |
|--------|---------------------------------------------------------------------------------------------------------------------------------------------------------|---------------------------|-----------------|--------------------|----------------------------|---------------|
| CO 1   | Examine integrated approach to number theory                                                                                                            | PSO 1, 3, PO2             | U               | F, C               | L                          |               |
| CO 2   | Apply the concept of congruences                                                                                                                        | PSO 2, 3, 4, PO1, 2, 5, 6 | Ap, An          | P                  | L                          |               |
| CO 3   | Understand the concepts of Matrix operations, their algebraic properties, System of linear equations and their Matrix representation, Gauss Elimination | PSO 1, PO1, 2, 5, 6       | U               | F, C               | L                          |               |
| CO 4   | Able to find the eigen values of powers of matrices and diagonalization of matrices                                                                     | PSO 2, 4, PO1, 2, 6       | Ap, An          | P                  | L                          |               |

(R-Remember, U-Understand, Ap-Apply, An-Analyse, E-Evaluate, C-Create)  
(F-Factual, C-Conceptual, P-Procedural, M-Metacognitive)

## Mapping of CO with PSOs and POs

|     | PSO1 | PSO2 | PSO3 | PSO4 | PSO5 | PSO6 | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 |
|-----|------|------|------|------|------|------|-----|-----|-----|-----|-----|-----|-----|-----|
| CO3 | 2    | -    | 1    | -    | -    | -    | -   | 1   | -   | -   | -   | 1   | -   | -   |
| CO4 | -    | 2    | 2    | 1    | -    | -    | 1   | 2   | -   | -   | 1   | 1   | -   | -   |
| CO3 | 2    | -    | -    | -    | -    | -    | 2   | 1   | -   | -   | 1   | 2   | -   | -   |
| CO4 | -    | 2    | -    | 2    | -    | -    | 2   | 2   | -   | -   | -   | 2   | -   | -   |

(- -Nil, 1-Slightly/Low, 2-Moderate/Medium, 3-Substantial/High)

## Assessment Rubrics

- Quiz/Assignment/Discussion/Seminar



- Midterm Exam
- Programming Assignments
- Final Exam

## Mapping of COs to Assessment Rubrics

|     | Internal Examination | Assignment | Project Evaluation | End Semester Exam |
|-----|----------------------|------------|--------------------|-------------------|
| CO1 | ✓                    |            |                    | ✓                 |
| CO2 | ✓                    | ✓          |                    | ✓                 |
| CO3 | ✓                    |            |                    | ✓                 |
| CO4 | ✓                    | ✓          |                    | ✓                 |





## University of Kerala

|                |                                                        |                     |                      |           |                         |
|----------------|--------------------------------------------------------|---------------------|----------------------|-----------|-------------------------|
| Discipline     | Mathematics                                            |                     |                      |           |                         |
| Course Code    | UK1DSCMAT107                                           |                     |                      |           |                         |
| Course Title   | Relations, Functions and Number theory                 |                     |                      |           |                         |
| Type of Course | DSC                                                    |                     |                      |           |                         |
| Semester       | I                                                      |                     |                      |           |                         |
| Academic Level | 100-199                                                |                     |                      |           |                         |
| Course Details | Credit                                                 | Lecture<br>per week | Tutorial<br>per week | Practical | Total<br>Hours per week |
|                | 4                                                      | 4                   | -                    | -         | 4                       |
| Pre-requisites | Sets                                                   |                     |                      |           |                         |
| Course Summary | Sets, relations, functions and basics of number theory |                     |                      |           |                         |

## Detailed Syllabus

| Module    | Unit | Contents                                                                                                                                                                                                                                                                                 | Hrs       |
|-----------|------|------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------|
| <b>I</b>  |      | <b>Relations and Functions I</b>                                                                                                                                                                                                                                                         | <b>12</b> |
|           | 1    | Set operations, Relations, Types of relations, Some operations on relations, Composition of relations, Properties of relations, Equivalence classes, Partition of a set, Partitioning of a set induced by an equivalence relation<br>These topics can be found in Chapter 5 of Text [2]. |           |
| <b>II</b> |      | <b>Relations and Functions II</b>                                                                                                                                                                                                                                                        | <b>12</b> |
|           | 2    | Representation of relations by graphs, HASSE diagrams for partial orderings, Terminology related to posets, Definitions, Lattices: Definition and Examples, Properties of lattices (without proof).<br>These topics can be found in Chapter 5 of Text [2].                               |           |





| Module     | Unit                                           | Contents                                                                                                                                                                                                                                                                                    | Hrs       |
|------------|------------------------------------------------|---------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------|
| <b>III</b> | <b>The fundamental theorem of arithmetic</b>   |                                                                                                                                                                                                                                                                                             | <b>12</b> |
|            | 3                                              | Mathematical induction, binomial theorem, The division algorithm, the greatest common divisor, the Euclidean algorithm, The fundamental theorem of arithmetic.<br>Chapter 1: Sections 1.1, 1.2, Chapter 2: Sections 2.2, 2.3, 2.4, Chapter 3: Section 3.1 of Text [1]) (Exclude all proof). |           |
| <b>IV</b>  | <b>Congruences</b>                             |                                                                                                                                                                                                                                                                                             | <b>12</b> |
|            | 4                                              | Basic properties of congruences, binary and decimal representation of integers, Fermat's theorem, Wilson's Theorem (Avoid proofs of theorems). The sum and number of divisors.<br>Chapter 4: Sections 4.2, 4.3, Chapter 5: Sections 5.2, 5.3, Chapter 6 : Section 6.1 of Text [1]).         |           |
| <b>V</b>   | <b>Suggestions for teacher designed module</b> |                                                                                                                                                                                                                                                                                             | <b>12</b> |
|            | 5                                              | Basic concepts and notations, Ordered pairs and Cartesian product, Principle of Duality, Proof of Euclidean algorithm, Proof of Fermat's theorem and Wilson's Theorem.<br>Chapter 5 of Text [2], Chapter 2 : Section 2.4, Chapter 5 : Sections 5.2, 5.3.                                    |           |

## Textbooks

1. David M. Burton, *Elementary Number Theory*, 7<sup>th</sup> Edition, McGraw Hill, 2011.
2. T. Veerarajan, *Discrete Mathematics with Graph Theory and Combinatorics*, Tata McGraw Hill, 2007.

## References

1. G A Jones, J M Jones, *Elementary Number Theory*, Springer, 1998.
2. C L Liu, D P Mohapatra, *Elements of Discrete Mathematics, A Computer oriented approach*, Tata McGraw-Hill, 2008.
3. Rajendra Akerkar, Rupali Akerkar, *Discrete Mathematics*, Perason Education, 2007.
4. R M Somasundaram, *Discrete Mathematical Structures*, Prentice Hall of India, 2003.
5. Thomas Koshy, *Elementary Number Theory with Applications*, 2<sup>nd</sup> Edition, Academic Press, 2007.



## Course Outcomes

| CO No. | Upon completion of the course the graduate will be able to | PO/PSO                       | Cognitive Level | Knowledge Category | Lecture(L)<br>Tutorial (T) | Practical (P) |
|--------|------------------------------------------------------------|------------------------------|-----------------|--------------------|----------------------------|---------------|
| CO 1   | Understand the concept of set theory                       | PSO 1, PO2, 6                | R, U            | F,C                | L                          |               |
| CO 2   | Analyze real world problems                                | PSO 1, 2, PO1, 2, 3, 4, 5, 6 | Ap, An          | P                  | L                          |               |
| CO 3   | Examine integrated approach to number theory               | PSO 1, 3, PO1, 2, 6          | U               | F, C               | L                          |               |
| CO 4   | Apply the concept of congruences                           | PSO 2, 3, 4, PO1, 2, 5, 6    | Ap, An          | P                  | L                          |               |

(R-Remember, U-Understand, Ap-Apply, An-Analyse, E-Evaluate, C-Create)  
(F-Factual, C-Conceptual, P-Procedural, M-Metacognitive)

## Mapping of CO with PSOs and POs

|     | PSO1 | PSO2 | PSO3 | PSO4 | PSO5 | PSO6 | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 |
|-----|------|------|------|------|------|------|-----|-----|-----|-----|-----|-----|-----|-----|
| CO1 | 2    | -    | -    | -    | -    | -    | -   | 1   | -   | -   | -   | 1   | -   | -   |
| CO2 | 2    | 2    | -    | -    | -    | -    | 2   | 2   | 1   | 1   | 2   | 1   | -   | -   |
| CO3 | 3    | -    | 2    | -    | -    | -    | 1   | 1   | -   | -   | -   | 1   | -   | -   |
| CO4 | -    | 2    | 3    | 2    | -    | -    | 1   | 2   | -   | -   | 1   | 1   | -   | -   |

( - -Nil, 1-Slightly/Low, 2-Moderate/Medium, 3-Substantial/High)



## Assessment Rubrics

- Quiz/Assignment/Discussion/Seminar
- Midterm Exam
- Programming Assignments
- Final Exam

## Mapping of COs to Assessment Rubrics

|     | Internal Examination | Assignment | Project Evaluation | End Semester Exam |
|-----|----------------------|------------|--------------------|-------------------|
| CO1 | ✓                    |            |                    | ✓                 |
| CO2 | ✓                    | ✓          |                    | ✓                 |
| CO3 | ✓                    |            |                    | ✓                 |
| CO4 | ✓                    | ✓          |                    | ✓                 |





## University of Kerala

|                |                                                                                                                                                                                                                                       |                     |                      |           |                         |
|----------------|---------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|---------------------|----------------------|-----------|-------------------------|
| Discipline     | Mathematics                                                                                                                                                                                                                           |                     |                      |           |                         |
| Course Code    | UK1DSCMAT108                                                                                                                                                                                                                          |                     |                      |           |                         |
| Course Title   | Differential Calculus                                                                                                                                                                                                                 |                     |                      |           |                         |
| Type of Course | DSC                                                                                                                                                                                                                                   |                     |                      |           |                         |
| Semester       | I                                                                                                                                                                                                                                     |                     |                      |           |                         |
| Academic Level | 100-199                                                                                                                                                                                                                               |                     |                      |           |                         |
| Course Details | Credit                                                                                                                                                                                                                                | Lecture<br>per week | Tutorial<br>per week | Practical | Total<br>Hours per week |
|                | 4                                                                                                                                                                                                                                     | 3                   | -                    | 2         | 5                       |
| Pre-requisites | Functions                                                                                                                                                                                                                             |                     |                      |           |                         |
| Course Summary | Brief review of calculus, Polynomial and elementary transcendental functions and their applications, derivatives, extremum problems, curve-sketching, approximations, Use of symbolic manipulation and graphics software in calculus. |                     |                      |           |                         |

## Detailed Syllabus

| Module     | Unit | Contents                                                                                                                                                                                                | Hrs      |
|------------|------|---------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|----------|
| <b>I</b>   |      | <b>Introduction to derivatives</b>                                                                                                                                                                      | <b>9</b> |
|            | 1    | The derivative of a function, Algebra of derivatives – derivatives of sum, product, quotient, Sections 2.2, 2.3, 2.4 of Text[1] (Proofs of theorems excluded)                                           |          |
| <b>II</b>  |      | <b>Chain rule</b>                                                                                                                                                                                       | <b>9</b> |
|            | 2    | The chain rule. Implicit differentiation. Sections 2.6, 2.7 of Text[1]                                                                                                                                  |          |
| <b>III</b> |      | <b>Special derivatives</b>                                                                                                                                                                              | <b>9</b> |
|            | 3    | Derivatives of logarithmic, exponential and inverse functions, L'Hopital rule. Sections 6.1, 6.2, 6.3, 6.5 of Text[1] (Integrals involving logarithmic, exponential and inverse functions are excluded) |          |



| Module    | Unit | Contents                                                                                                                                                                                 | Hrs      |
|-----------|------|------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|----------|
| <b>IV</b> |      | <b>Analysis of functions using derivatives</b>                                                                                                                                           | <b>9</b> |
|           | 4    | Increasing, decreasing and concavity, extremum problems, absolute maxima and minima, Sections 3.1, 3.2, 3.4 of Text[1]                                                                   |          |
| <b>V</b>  |      | <b>Topics suggested for the teacher designed module</b>                                                                                                                                  | <b>9</b> |
|           | 5    | Families of functions, inverse functions, Exponential and logarithmic functions, related rates and local linear approximation, graphing polynomials, Rolle's theorem, Mean-value theorem |          |

*Note* : In all these topics above, proofs of theorems are to be excluded.

## Practical sessions – 30 hours

All the topics (including those in the suggestions for the teacher designed module) can be used for practical sessions.

### Problems for the practical examination

1. Demonstrate the basic arithmetic operations (+, −, \*, ^, /)
2. Demonstrate how to use the standard trigonometric, log, exponential functions, and how to evaluate them at given real numbers
3. Define polynomials of various order, evaluate them
4. Define functions, and evaluate two-sided limits
5. Define functions, and evaluate one-sided limits
6. Demonstrate the plot command with various options (line style, color, thickness etc)
7. Define functions, find their derivatives of different orders
8. Solving polynomial equations and equations involving standard functions
9. Sketching graphs of curves using plot with various styling options (thickness, line style, color etc)
10. Finding maxima, minima using first and second derivative tests.
11. Finding points of inflection and sketching them

A record should be maintained with at least 7 problems from the above. Each problem in the record must have a description of the problem, algorithm (step by step procedure), commands used, input given and output obtained accordingly. For the ESE, from the list of above 10 problems, the student should be able to answer two selected (from the 7 available in the record) by the examiner.

## Textbooks

1. H Anton, I Bivens, S Davis, *Calculus*, 10th Edition, John Wiley & Sons, 2012.



## References

1. Joel Hass, Maurice D. Weir, *Thomas' Calculus Early Transcendentals*, 12th Edition, Addison-Weseley Publishing Company, 2004.
2. J Stewart, *Calculus with Early Transcendental Functions*, 7th Edition, Cengage India Private Limited, 2004.
3. G B Thomas, R L Finney, *Calculus*, 9th Edition, Addison-Weseley Publishing Company, 2004.

## Resources for practical sessions

- P1. Sagemath documentation – Introductory Sage Tutorial <https://doc.sagemath.org/html/en/prep/Intro-Tutorial.html>
- P2. Saskia Roos, Michael Jung, *An Introductory Course on Sage, Lecture Notes* [https://www.math.uni-potsdam.de/fileadmin/user\\_upload/An\\_Introductory\\_Course\\_on\\_Sage.pdf](https://www.math.uni-potsdam.de/fileadmin/user_upload/An_Introductory_Course_on_Sage.pdf)
- P3. Sagemath documentation – Symbolic variables <https://doc.sagemath.org/html/en/reference/calculus/sage/calculus/var.html>
- P4. Tuan A. Le, Hieu D. Nguyen, SageMath Advice for calculus <https://users.rowan.edu/~nguyen/sage/SageMathAdviceforCalculus.pdf>
- P5. P. Zimmermann *et al*, Computational Mathematics with SageMath, <https://www.sagemath.org/sagebook/english.html>
- P6. Gregory V. Bard, Sage for Undergraduates <http://www.people.vcu.edu/~clarson/bard-sage-for-undergraduates-2014.pdf>

## Course Outcomes



| CO No. | Upon completion of the course the graduate will be able to                   | PO/PSO         | Cognitive Level | Knowledge Category | Lecture(L)<br>Tutorial (T) | Assignment (As) |
|--------|------------------------------------------------------------------------------|----------------|-----------------|--------------------|----------------------------|-----------------|
| CO 1   | Understand the basic concept of functions, limit, continuity and derivatives | PSO1,2, PO1    | U               | F,C                | L,T                        |                 |
| CO 2   | Analyse the properties of functions using derivatives                        | PSO2, PO3, 4   | An              | F                  | L,T                        |                 |
| CO 3   | Apply deferentiation techniques to solve various problems                    | PSO1,3, PO2, 3 | U,An            | C                  | L,T                        |                 |

(R-Remember, U-Understand, Ap-Apply, An-Analyse, E-Evaluate, C-Create)

(F-Factual, C-Conceptual, P-Procedural, M-Metacognitive)

## Mapping of CO with PSOs and POs

|     | PSO1 | PSO2 | PSO3 | PSO4 | PSO5 | PSO6 | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 |
|-----|------|------|------|------|------|------|-----|-----|-----|-----|-----|-----|-----|-----|
| CO1 | 2    | 1    |      |      |      |      | 3   |     |     |     |     |     |     |     |
| CO2 |      | 2    |      |      |      |      |     |     | 1   | 3   |     |     |     |     |
| CO3 | 2    |      | 3    |      |      |      |     | 2   | 2   |     |     |     |     |     |

(- -Nil, 1-Slightly/Low, 2-Moderate/Medium, 3-Substantial/High)

## Assessment Rubrics

- Quiz/Assignment/Discussion/Seminar
- Midterm Exam
- Programming Assignments
- Final Exam

## Mapping of COs to Assessment Rubrics

|     | Internal Examination | Assignment | Project Evaluation | End Semester Exam |
|-----|----------------------|------------|--------------------|-------------------|
| CO1 | ✓                    | ✓          |                    | ✓                 |
| CO2 | ✓                    | ✓          |                    | ✓                 |
| CO3 | ✓                    | ✓          |                    |                   |
| CO4 | ✓                    | ✓          |                    | ✓                 |





## University of Kerala

|                |                                                                                     |                  |                   |           |                      |
|----------------|-------------------------------------------------------------------------------------|------------------|-------------------|-----------|----------------------|
| Discipline     | Mathematics                                                                         |                  |                   |           |                      |
| Cours Code     | UK1DSCMAT109                                                                        |                  |                   |           |                      |
| Course Title   | Mathematics for Social Sciences - I                                                 |                  |                   |           |                      |
| Type of Course | DSC                                                                                 |                  |                   |           |                      |
| Semester       | I                                                                                   |                  |                   |           |                      |
| Academic Level | 100-199                                                                             |                  |                   |           |                      |
| Course Details | Credit                                                                              | Lecture per week | Tutorial per week | Practical | Total Hours per week |
|                | 4                                                                                   | 4                | -                 | -         | 4                    |
| Pre-requisites | Matrices                                                                            |                  |                   |           |                      |
| Course Summary | This is a brief introductory course on matrices, system of linear equations and LPP |                  |                   |           |                      |

## Detailed Syllabus

| Module     | Unit                                                                                           | Contents                                                                                         | Hrs       |
|------------|------------------------------------------------------------------------------------------------|--------------------------------------------------------------------------------------------------|-----------|
| <b>I</b>   |                                                                                                | <b>Matrices</b>                                                                                  | <b>12</b> |
|            | 1                                                                                              | Ordered pairs, Cartesian products, Relations                                                     |           |
|            | 2                                                                                              | Functional Relations and Functions                                                               |           |
|            | Chapter 1: Sections 1.1, 1.2, 1.3, 1.4, 1.5, 1.6, 1.7, 1.8, 1.14, 1.15, 1.16, 1.17 of Text [1] |                                                                                                  |           |
| <b>II</b>  |                                                                                                | <b>Linear Equations</b>                                                                          | <b>12</b> |
|            | 3                                                                                              | Equations and identities -Linear and quadratic equations                                         |           |
|            | 4                                                                                              | Solution of equations, Solutions of quadratic equations, Solution of simultaneous equations      |           |
|            | Chapter 3: Section 3.1 of Text [1].                                                            |                                                                                                  |           |
| <b>III</b> |                                                                                                | <b>Linear Programming</b>                                                                        | <b>12</b> |
|            | 5                                                                                              | Introduction, Basic assumptions, The general linear Programming Problem (For two variables only) |           |





| Module    | Unit                                                                                                                                          | Contents                                                                                                                                                                                  | Hrs       |
|-----------|-----------------------------------------------------------------------------------------------------------------------------------------------|-------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------|
|           | 6                                                                                                                                             | Feasible and basic feasible solutions, multiple optimal solutions, Problems with no feasible solution (simple problems only)l Geometry of Linear Programming Problem (Graphical Solution) |           |
|           | 18: Section 18.1, 18.2, 18.4, 18.5 of Text [1]                                                                                                |                                                                                                                                                                                           |           |
| <b>IV</b> | <b>Functions and Curves</b>                                                                                                                   |                                                                                                                                                                                           | <b>12</b> |
|           | 7                                                                                                                                             | Demand functions and curves                                                                                                                                                               |           |
|           | 8                                                                                                                                             | Total Revenue curve, Cost Curves.                                                                                                                                                         |           |
|           | Chapter 4: Appendix of Text [1]                                                                                                               |                                                                                                                                                                                           |           |
| <b>V</b>  | <b>Suggestions for teacher designed module</b>                                                                                                |                                                                                                                                                                                           | <b>12</b> |
|           | For internal assessment examinations only.                                                                                                    |                                                                                                                                                                                           |           |
|           | 9                                                                                                                                             | Properties of Sets; Three or more sets: Venn Diagram<br>Applications of Linear Equations<br>Concept of degeneracy in an LPP<br>Production functions, Marginal Product Curves              |           |
|           | These topics can be found on Chapters 1: Section 1.9, 1.10; Chapter 3: Section 3.1; Chapter 18: Section 18.6; Chapter 4: Appendix of Text [1] |                                                                                                                                                                                           |           |

## Textbook

1. B.C. Mehta, G.M.K. Madnani, Mathematics for Economics. Sultan Chand & Sons, 1976.

## References

1. Agarwal B.M, Business Mathematics and Statistics, Vikas Publishing House, New Delhi, 2009.
2. Allen, R.G.D., Mathematical Analysis for Economists, New Delhi: AITBS Publishers, 2008.
3. Yamane, Taro, Mathematics for Economists: An Elementary Survey. New Delhi: Prentice Hall of India, 2012.

## Course Outcomes



| CO No. | Upon completion of the course the graduate will be able to                            | PO/PSO                         | Cognitive Level | Knowledge Category | Lecture(L)<br>Tutorial (T) | Assignment (As) |
|--------|---------------------------------------------------------------------------------------|--------------------------------|-----------------|--------------------|----------------------------|-----------------|
| CO 1   | Understand the concepts of sets, ordered pairs, relations and functions               | PSO1, PO1, 2, 3, 4, 7          | R, U            | F,C                | L                          |                 |
| CO 2   | Solve linear and quadratic equations                                                  | PSO3, PO1, 2, 3, 6, 7, 8       | U               | P                  | L                          |                 |
| CO 3   | Analyze and interpret solutions of linear programming problems using graphical method | PSO4, PO1, 2, 3, 4, 5, 6, 7, 8 | An              | P                  | L                          |                 |
| CO 4   | Create Diagrams to represent Demand Functions, Total Revenue and Cost Functions       | PSO5, PO1, 2, 3, 4, 5, 6, 7, 8 | An              | C                  | L                          |                 |

(R-Remember, U-Understand, Ap-Apply, An-Analyse, E-Evaluate, C-Create)  
(F-Factual, C-Conceptual, P-Procedural, M-Metacognitive)

## Mapping of CO with PSOs and POs

|     | PSO1 | PSO2 | PSO3 | PSO4 | PSO5 | PSO6 | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 |
|-----|------|------|------|------|------|------|-----|-----|-----|-----|-----|-----|-----|-----|
| CO1 | 3    | -    | -    | -    | -    | -    | 2   | 3   | 1   | 3   | -   | -   | 1   |     |
| CO2 | -    | -    | 3    | -    | -    | -    | 2   | 3   | 2   | -   | -   | 1   | 3   | 2   |
| CO3 | -    | -    | -    | -    | 3    | -    | 3   | 2   | 1   | 2   | 2   | 2   | 3   | 1   |

(- -Nil, 1-Slightly/Low, 2-Moderate/Medium, 3-Substantial/High)

## Assessment Rubrics

- Quiz/Assignment/Discussion/Seminar
- Midterm Exam



- Programming Assignments
- Final Exam

## Mapping of COs to Assessment Rubrics

|     | Internal Examination | Assignment | Project Evaluation | End Semester Exam |
|-----|----------------------|------------|--------------------|-------------------|
| CO1 |                      | ✓          |                    | ✓                 |
| CO2 |                      | ✓          |                    | ✓                 |
| CO3 | ✓                    |            |                    | ✓                 |
| CO4 | ✓                    |            |                    | ✓                 |





## University of Kerala

|                |                                                                                |                     |                      |           |                         |
|----------------|--------------------------------------------------------------------------------|---------------------|----------------------|-----------|-------------------------|
| Discipline     | Mathematics                                                                    |                     |                      |           |                         |
| Cours Code     | UK1DSCMAT110                                                                   |                     |                      |           |                         |
| Course Title   | Matrices and Linear Equations                                                  |                     |                      |           |                         |
| Type of Course | DSC                                                                            |                     |                      |           |                         |
| Semester       | I                                                                              |                     |                      |           |                         |
| Academic Level | 100-199                                                                        |                     |                      |           |                         |
| Course Details | Credit                                                                         | Lecture<br>per week | Tutorial<br>per week | Practical | Total<br>Hours per week |
|                | 4                                                                              | 4                   | -                    | -         | 4                       |
| Pre-requisites | Matrices                                                                       |                     |                      |           |                         |
| Course Summary | This is a brief introductory course on matrices and system of linear equations |                     |                      |           |                         |

## Detailed Syllabus

| Module    | Unit | Contents                                                                                                                                                                                                                                                                                                                                          | Hrs       |
|-----------|------|---------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------|
| <b>I</b>  |      | <b>Matrices</b>                                                                                                                                                                                                                                                                                                                                   | <b>12</b> |
|           | 1    | Introduction to System of Linear equations, (Matrices and Matrix Operations, Inverses; Algebraic Properties of Matrices- review only). Elementary matrices and method for finding inverse, more on linear systems and invertible matrices, diagonal, triangular and symmetric matrices – Proofs of theorems in this module need not be discussed. |           |
|           |      | Chapter 1: Section 1.1, 1.3 to 1.7 of the Text[1]                                                                                                                                                                                                                                                                                                 |           |
| <b>II</b> |      | <b>Determinants</b>                                                                                                                                                                                                                                                                                                                               | <b>12</b> |
|           | 2    | Determinants by cofactor expansion, evaluating determinants by row reduction, properties of determinants, Cramer's rule – all these problems in $2 \times 2$ matrix case only – Proofs of theorems in this module need not be discussed..                                                                                                         |           |



| Module     | Unit | Contents                                                                                                                                                                      | Hrs       |
|------------|------|-------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------|
|            |      | Chapter 2: Sections 2.1, 2.2 and 2.3 of Text [1]                                                                                                                              |           |
| <b>III</b> |      | <b>Systems of linear equations</b>                                                                                                                                            | <b>12</b> |
|            | 3    | Linear Systems of Equations, Gauss Elimination, Linear Independence, Rank of a Matrix.                                                                                        |           |
|            | 4    | Solutions of Linear Systems: Existence, Uniqueness– Proofs of theorems in this module need not be discussed.                                                                  |           |
|            |      | Chapter 7: Sections 7.2, 7.4 (avoid vector space), 7.5 omit proofs of theorems of Text [2]                                                                                    |           |
| <b>IV</b>  |      | <b>Eigen values and Eigen vectors</b>                                                                                                                                         | <b>12</b> |
|            | 5    | The Matrix Eigenvalue Problem. Determining Eigenvalues and Eigenvectors )                                                                                                     |           |
|            | 6    | Symmetric, Skew-Symmetric, and Orthogonal Matrices                                                                                                                            |           |
|            | 7    | Diagonalization – all these problems in this module in $2 \times 2$ matrix case only– Proofs of theorems in this module need not be discussed.                                |           |
|            |      | Chapter 8 Section 8.1, 8.4 except eigen bases of Text [2]                                                                                                                     |           |
| <b>V</b>   |      | <b>Suggestions for teacher designed module</b>                                                                                                                                | <b>12</b> |
|            |      | For internal assessment examinations only.                                                                                                                                    |           |
|            | 8    | Matrix transformations<br>Orthogonality<br>Cramer's rule<br>Diagonalization of $3 \times 3$ matrices.<br>Geometry of linear systems<br>Orthogonal Matrices<br>Quadratic Forms |           |
|            |      | These topics can be found on Chapters 1 and 3 of Text [1] and Chapter 8 of Text [2]                                                                                           |           |

## Textbook

1. H Anton, C Rorres. Elementary linear algebra, 11th Edition, John Wiley & Sons, 2013
2. Erwin Kreyszig, Advanced Engineering Mathematics, Wiley Publishers, 10th Edition, 2018.

## References

1. David Poole, Linear Algebra, a modern introduction, Brooks/Cole Cengage learning, 2005.
2. Lee W.Johnson, R. Deanriess, Jimmy Arnold, Introduction to Linear Algebra, Fifth edition, Addison Wisely, 2019.



## Course Outcomes

| CO No. | Upon completion of the course the graduate will be able to | PO/PSO         | Cognitive Level | Knowledge Category | Lecture(L)<br>Tutorial (T) | Assignment (As) |
|--------|------------------------------------------------------------|----------------|-----------------|--------------------|----------------------------|-----------------|
| CO 1   | Understands system of linear equations                     | PSO1,2, PO1    | U               | F,C                | L,T                        |                 |
| CO 2   | Perform various operations on matrices and determinants    | PSO2, PO3, 4   | An              | F                  | L,T                        |                 |
| CO 3   | Understand the concept of vectors in Euclidean spaces      | PSO1,3, PO2, 3 | U,An            | C                  | L,T                        |                 |
| CO 4   | Apply matrices to solve system of linear equations         | PSO1,3         | Ap              | C                  | L,T                        |                 |

(R-Remember, U-Understand, Ap-Apply, An-Analyse, E-Evaluate, C-Create)

(F-Factual, C-Conceptual, P-Procedural, M-Metacognitive)

## Mapping of CO with PSOs and POs

|     | PSO1 | PSO2 | PSO3 | PSO4 | PSO5 | PSO6 | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 |
|-----|------|------|------|------|------|------|-----|-----|-----|-----|-----|-----|-----|-----|
| CO1 | 2    | 1    |      |      |      |      | 3   |     |     |     |     |     |     |     |
| CO2 |      | 2    |      |      |      |      |     |     | 1   | 3   |     |     |     |     |
| CO3 | 2    |      | 3    |      |      |      |     | 2   | 2   |     |     |     |     |     |

( - -Nil, 1-Slightly/Low, 2-Moderate/Medium, 3-Substantial/High)

## Assessment Rubrics

- Quiz/Assignment/Discussion/Seminar
- Midterm Exam
- Programming Assignments
- Final Exam



## Mapping of COs to Assessment Rubrics

|     | Internal Examination | Assignment | Project Evaluation | End Semester Exam |
|-----|----------------------|------------|--------------------|-------------------|
| CO1 |                      | ✓          |                    | ✓                 |
| CO2 |                      | ✓          |                    | ✓                 |
| CO3 | ✓                    |            |                    | ✓                 |
| CO4 | ✓                    |            |                    | ✓                 |





## University of Kerala

|                |                                                                                                                                                                                                                                                                            |                     |                      |                       |                         |
|----------------|----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|---------------------|----------------------|-----------------------|-------------------------|
| Discipline     | Mathematics                                                                                                                                                                                                                                                                |                     |                      |                       |                         |
| Course Code    | UK1MDCMAT100                                                                                                                                                                                                                                                               |                     |                      |                       |                         |
| Course Title   | Numerical Ability - I                                                                                                                                                                                                                                                      |                     |                      |                       |                         |
| Type of Course | MDC                                                                                                                                                                                                                                                                        |                     |                      |                       |                         |
| Semester       | I                                                                                                                                                                                                                                                                          |                     |                      |                       |                         |
| Academic Level | 100-199                                                                                                                                                                                                                                                                    |                     |                      |                       |                         |
| Course Details | Credit                                                                                                                                                                                                                                                                     | Lecture<br>per week | Tutorial<br>per week | Practical<br>per week | Total<br>Hours per week |
|                | 3                                                                                                                                                                                                                                                                          | 3                   |                      |                       | 3                       |
| Pre-requisites | Basic Mathematical Operations                                                                                                                                                                                                                                              |                     |                      |                       |                         |
| Course Summary | This course is primarily meant for students who have not undergone a Mathematics course beyond their secondary school. The course is expected to improve the student's basic mathematical skills and to understand the mathematics used in their respective fields better. |                     |                      |                       |                         |

## Detailed Syllabus

| Module     | Unit | Contents                                                                                                                                                       | Hrs       |
|------------|------|----------------------------------------------------------------------------------------------------------------------------------------------------------------|-----------|
| <b>I</b>   |      | <b>HCF, LCM, Percentage</b>                                                                                                                                    | <b>10</b> |
|            | 1    | Highest Common Factor, Methods of finding HCF, Least Common Multiple, Methods of finding LCM, Problems involving HCF and LCM. ( <i>Chapter 2 of Text [1]</i> ) |           |
|            | 2    | Percentage, Problems involving percentage. ( <i>Chapter 5 of Text [1]</i> )                                                                                    |           |
| <b>II</b>  |      | <b>Average, Ratio and Proportion</b>                                                                                                                           | <b>10</b> |
|            | 3    | Average, Problems involving average. ( <i>Chapter 6 of Text [1]</i> )                                                                                          |           |
|            | 4    | Ratio, Types of Ratios, Proportion, Problems involving Ratio and Proportion. ( <i>Chapter 7 of Text [1]</i> )                                                  |           |
| <b>III</b> |      | <b>Profit and loss, Time, Work and Wages</b>                                                                                                                   | <b>9</b>  |





| Module    | Unit                                               | Contents                                                                              | Hrs       |
|-----------|----------------------------------------------------|---------------------------------------------------------------------------------------|-----------|
|           | 5                                                  | Profit and Loss, Problems involving profit and loss. ( <i>Chapter 9 of Text [1]</i> ) |           |
|           | 6                                                  | Problems involving Time, Work and Wages. ( <i>Chapter 10 of Text [1]</i> )            |           |
| <b>IV</b> | <b>Time and Distance, Boats and Streams</b>        |                                                                                       | <b>10</b> |
|           | 7                                                  | Problems involving Time and Distance. ( <i>Chapter 12 of Text [1]</i> )               |           |
|           | 8                                                  | Problems involving Boats and Streams. ( <i>Chapter 13 of Text [1]</i> )               |           |
| <b>V</b>  | <b>Suggestions for the teacher designed module</b> |                                                                                       | <b>6</b>  |
|           | 9                                                  | Partnership, Problems involving partnership. ( <i>Chapter 8 of Text [1]</i> )         |           |
|           | 10                                                 | Problems involving Pipes and Cisterns. ( <i>Chapter 11 of Text [1]</i> )              |           |

## Textbook

1. Dinesh Khattar, *Quantitative Aptitude for Competitive Examinations*, Fourth Edition, Pearson, 2016

## References

1. H Kruglak, JT Moore, RA Mata-Toledo, *Schaum's outline of theory and problems of Basic Mathematics, with Applications to Science and Technology*, Second Edition, McGraw-Hill, 1998.
2. Rajesh Verma, *Fast Track Objective Arithmetic*, Arihant, 2018.



## Course Outcomes

| CO No. | Upon completion of the course the graduate will be able to          | PO/PSO                          | Cognitive Level | Knowledge Category | Lecture(L)<br>Tutorial (T) | Practical (P) |
|--------|---------------------------------------------------------------------|---------------------------------|-----------------|--------------------|----------------------------|---------------|
| CO 1   | Understand basic level mathematics used in real life situations     | PSO1, PSO2, PSO3, PO1, PO2, PO5 | U, An, E        | C, P               | L                          |               |
| CO 2   | Do maths problems quickly using ready to use formulae               | PSO3, PO2                       | R, Ap           | P                  | L                          |               |
| CO 3   | Understand the concepts of Ratio and Percentage                     | PSO1, PO1, PO2, PO5             | U, E            | P                  | L                          |               |
| CO 4   | Understand the concepts of direct proportion and inverse proportion | PSO1, PO1                       | U, E            | P                  | L                          |               |

(R-Remember, U-Understand, Ap-Apply, An-Analyse, E-Evaluate, C-Create)  
(F-Factual, C-Conceptual, P-Procedural, M-Metacognitive)

## Mapping of CO with PSOs and POs

|     | PSO1 | PSO2 | PSO3 | PSO4 | PSO5 | PSO6 | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 |
|-----|------|------|------|------|------|------|-----|-----|-----|-----|-----|-----|-----|-----|
| CO1 | 3    | 2    | 3    | -    | -    | -    | 2   | 1   | -   | -   | 1   | -   | -   | -   |
| CO2 | -    | -    | 3    | -    | -    | -    | -   | 1   | -   | -   | -   | -   | -   | -   |
| CO3 | 2    | -    | -    | -    | -    | -    | 2   | 1   | -   | -   | 1   | -   | -   | -   |
| CO4 | 2    | -    | -    | -    | -    | -    | 2   | -   | -   | -   | -   | -   | -   | -   |

( - -Nil, 1-Slightly/Low, 2-Moderate/Medium, 3-Substantial/High)

## Assessment Rubrics

- Quiz/Assignment/Discussion/Seminar
- Midterm Exam



- Programming Assignments
- Final Exam

## Mapping of COs to Assessment Rubrics

|     | Internal Examination | Assignment | Project Evaluation | End Semester Exam |
|-----|----------------------|------------|--------------------|-------------------|
| CO1 | ✓                    | ✓          |                    |                   |
| CO2 | ✓                    |            |                    | ✓                 |
| CO3 | ✓                    | ✓          |                    | ✓                 |
| CO4 | ✓                    | ✓          |                    | ✓                 |





## University of Kerala

|                |                                                                                                                  |                     |                      |                       |                         |
|----------------|------------------------------------------------------------------------------------------------------------------|---------------------|----------------------|-----------------------|-------------------------|
| Discipline     | Mathematics                                                                                                      |                     |                      |                       |                         |
| Course Code    | UK1MDCMAT101                                                                                                     |                     |                      |                       |                         |
| Course Title   | Mathematical Thinking                                                                                            |                     |                      |                       |                         |
| Type of Course | MDC                                                                                                              |                     |                      |                       |                         |
| Academic Level | 100-199                                                                                                          |                     |                      |                       |                         |
| Course Details | Credit                                                                                                           | Lecture<br>per week | Tutorial<br>per week | Practical<br>per week | Total<br>Hours per week |
|                | 3                                                                                                                | 3 Hours             | -                    | -                     | 3                       |
| Pre-requisites | 1. A good basic School Mathematics                                                                               |                     |                      |                       |                         |
| Course Summary | This course is an introduction to the foundations of logic, proof, Divisibility and Linear Diophantine Equations |                     |                      |                       |                         |

## Detailed Syllabus

| Module     | Unit | Contents                                                                                                                                                                                                | Hrs      |
|------------|------|---------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|----------|
| <b>I</b>   |      | <b>Foundations of Logic and Proof</b>                                                                                                                                                                   | <b>9</b> |
|            | 1    | Logical connectives, Quantifiers. Basic set operations, Relations and Functions.<br>(Chapter 1: Sections 1, 2, 3 of in Text[2], Chapter 2: Sections 1, 2, 3 of in Text [2])                             |          |
| <b>II</b>  |      | <b>Divisibility of integers</b>                                                                                                                                                                         | <b>9</b> |
|            | 2    | Divisibility, Euclid's Theorem, The Sieve of Eratosthenes, The Division Algorithm, The Greatest Common Divisor, The Euclidean Algorithm,<br>(Chapter: Section 1.1, 1.2, 1.3, 1.4, 1.5, 1.6 of Text [1]) |          |
| <b>III</b> |      | <b>The Greatest Common Divisor</b>                                                                                                                                                                      | <b>9</b> |
|            | 3    | The Greatest Common Divisor, The Euclidean Algorithm,<br>(Chapter: Section 1.7, 1.8, 1.9 of Text [1])                                                                                                   |          |



| Module    | Unit                                                                   | Contents                                                                                                                                                               | Hrs      |
|-----------|------------------------------------------------------------------------|------------------------------------------------------------------------------------------------------------------------------------------------------------------------|----------|
| <b>IV</b> | <b>Diophantine equations and the Fundamental Theorem of Arithmetic</b> |                                                                                                                                                                        | <b>9</b> |
|           | 4                                                                      | Diophantine equations, The Postage Stamp Problem. The Fundamental Theorem of Arithmetic, (Chapter 2: Sections 2.1, 2.2, Chapter 3: Sections 3.1, 3.2 of Text [1])      |          |
| <b>V</b>  | <b>Suggestions for teacher designed topics</b>                         |                                                                                                                                                                        | <b>9</b> |
|           | 5                                                                      | Techniques of proof, Chapter 1: Section 3 of in Text[2]                                                                                                                |          |
|           | 6                                                                      | Number in other bases, Fermat and Mersenne Numbers, Euclid and the Fundamental Theorem of Arithmetic. (Chapter: Section 1.9, 1.10, Chapter 3: Section 3.3 of Text [1]) |          |

## Textbooks

1. James S.Kraft, Lawrence C. Washington. *Elementary Number Theory*, CRC Press, 2014.
2. S R Lay. *Analysis with an Introduction to Proof*, 5th Edition, Pearson Education, 2015.

## References

1. J P D'Angelo, D B West. *Mathematical Thinking- Problem Solving and Proofs* 2nd Edition, Prentice Hall, 2018.
2. Daniel J Velleman. *How to Prove it : A Structured Approach*, 2nd Edition, Cambridge University Press, 2006
3. Elena Nardi, Paola Iannone. *How to Prove it : A brief guide for teaching Proof to Year 1 mathematics undergraduates*, University of East Anglia, Centre for Applied Research in Education, 2006.
4. Thomas Koshy, *Elementary Number Theory with Applications*, 2nd Edition, Academic Press, 2007.



## Course Outcomes

| CO No. | Upon completion of the course the graduate will be able to                                                         | PO/PSO  | Cognitive Level | Knowledge Category | Lecture(L)<br>Tutorial (T) | Practical (P) |
|--------|--------------------------------------------------------------------------------------------------------------------|---------|-----------------|--------------------|----------------------------|---------------|
| CO 1   | Understand the fundamental concepts of Differentiation                                                             | PSO1, 2 | U               | F,C                | L                          |               |
| CO 2   | Explore Differentiation techniques to functions involving vectors and matrices                                     | PSO 2,4 | An, C           | C, M               | L                          |               |
| CO 3   | Develop problem-solving skills through the application of differentiation concepts and systems of linear equations | PSO 2,3 | An, C           | P, M               | L                          |               |

(R-Remember, U-Understand, Ap-Apply, An-Analyse, E-Evaluate, C-Create)  
(F-Factual, C-Conceptual, P-Procedural, M-Metacognitive)

## Mapping of CO with PSOs and POs

|     | PSO1 | PSO2 | PSO3 | PSO4 | PSO5 | PSO6 | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 |
|-----|------|------|------|------|------|------|-----|-----|-----|-----|-----|-----|-----|-----|
| CO1 | 3    | 1    | 2    | 2    | 3    | 3    | 3   | -   | 1   | -   | -   | 2   | 1   | 1   |
| CO2 | 1    | 3    | 1    | 2    | 1    | 1    | 1   | 1   | 3   | -   | -   | 2   | 1   | 1   |
| CO3 | 1    | 3    | 2    | 3    | 2    | 3    | 1   | 3   | 3   | -   | -   | 3   | 1   | 1   |

( - -Nil, 1-Slightly/Low, 2-Moderate/Medium, 3-Substantial/High)

## Assessment Rubrics

- Quiz/Assignment/Discussion/Seminar
- Midterm Exam
- Programming Assignments
- End Semester Exam



## Mapping of COs to Assessment Rubrics

|     | Internal Examination | Assignment | Project Evaluation | End Semester Exam |
|-----|----------------------|------------|--------------------|-------------------|
| CO1 | ✓                    | —          | —                  | ✓                 |
| CO2 | ✓                    | ✓          | ✓                  | ✓                 |
| CO3 | ✓                    | ✓          | ✓                  | ✓                 |



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**University of Kerala**

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